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**Nowcasting GDP and Inflation: The Real-Time Informational
Content of Macroeconomic Data Releases**

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Nowcasting GDP and Inflation: The Real-Time Informational Content of Macroeconomic Data Releases*

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Abstract

This paper formalizes the process of updating the nowcast and forecast on output and inflation as new releases of data become available. The marginal contribution of a particular release for the value of the signal and its precision is evaluated by computing “news” on the basis of an evolving conditioning information set. The marginal contribution is then split into what is due to timeliness of information and what is due to economic content. We find that the Federal Reserve Bank of Philadelphia surveys have a large marginal impact on the nowcast of both inflation variables and real variables and this effect is larger than that of the Employment Report. When we control for timeliness of the releases, the effect of hard data becomes sizeable. Prices and quantities affect the precision of the estimates of inflation while GDP is only affected by real variables and interest rates.

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1 Introduction

Monetary policy decisions in real time are based on assessments of current and future economic conditions using incomplete data. Since most data are released with a lag and are subsequently revised, the reconstruction of current-quarter GDP, inflation and other key variables is an important task for central banks and one to which they devote a considerable amount of resources. Current-quarter numbers are also important because, in the short-run, there is a greater degree of forecastability than in the long run. For example, Giannone, Reichlin, and Sala (2004) (GRS from now on) document that, in forecasting GDP beyond the first quarter, the forecasts of the Federal Reserve staff and of standard statistical models do not perform better than that of a constant growth rate. Current-quarter estimates are particularly relevant because they are inputs for model-based longer term forecasting exercises.

Nowcasts are constructed at central banks using both simple models and qualitative judgment. Those exercises involve the analysis of a large amount of information and a judgment on the relative weight to attribute to various data series. As new information becomes available throughout the month, the nowcasts and forecasts may be adjusted in response to changes in both the values of the data series and the implicit relative weights applied to those series. Typically, central banks and markets pay particular attention to certain data releases either because they arrive earlier, and can therefore convey news on key variables such as GDP, or because they are inputs in their estimates (e.g. industrial production or the Employment Report for GDP). In principle, however, any release, no matter at what frequency, may potentially affect current-quarter estimates and their precision. From the point of view of the short-term forecaster, there is no reason to throw away any information.

This paper provides a framework that formalizes the updating of the nowcast and forecast of output and inflation as data are released throughout the month and that can be used to evaluate the marginal impact of new data releases on the precision of the now/forecast as well as the marginal contribution of different groups of variables. In the empirics, we focus on the nowcast and we use intra-month releases of monthly time series to construct (possibly) progressively more accurate current-quarter estimates. Our approach allows us to consider a large number of monthly time series (in principle all the potentially relevant ones) within the same forecasting model. Moreover, the model takes into account the non-synchronicity of the releases by exploiting vintages of panel data which are unbalanced at the end of the sample.

The framework we propose is adapted from the parametric dynamic factor model proposed by Doz, Giannone, and Reichlin (2005) and applied by GRS to the same variables we are using here. It is similar in spirit to Evans (2005), but our focus is different since we exploit a large number of data series rather than just financial variables and we don't consider information at frequencies lower than the month.

Using this framework, we ask three specific empirical questions. The first is whether a large information set really helps to obtain an early and accurate estimate of current inflation and output. Several papers have made the point that a large information set helps in forecasting (cfr. Boivin and Ng (2005), Forni, Hallin, Lippi, and Reichlin (2003), Giannone, Reichlin, and Sala (2004), Marcellino, Stock, and Watson (2003),

Stock and Watson (2002)). This literature proposes and applies factor models adapted to handle large panels of time series. On the basis of such models, Bernanke and Boivin (2003) and GRS formalize the real-time application of large datasets to nowcasting and forecasting inflation and output in the United States. GRS in particular show that a specification of the model with two dynamic factors has a forecasting performance comparable to that of the Federal Reserve’s Greenbook.

This paper builds on this literature, but instead of performing an out-of sample forecasting exercise, we compute measures of news and uncertainty and study their evolution as new information becomes available within the month. This is achieved by deriving explicitly the standard error of the nowcast or forecast as a function of the size of the information set. Changes in this standard error allow us to track the evolution of the uncertainty of the forecast and nowcast as the flow of information evolves within a month.

The second question is the assessment of the marginal contribution of particular sets of variables in constructing the nowcasts. What kind of information really matters? To provide an answer, we update our nowcasts and forecasts following each data release within the month and construct empirical measures of the “news” in each data block by conditioning on the data that was available in real time when the data was released and that is evolving within the month. Because the data are released in blocks and the releases follow a relatively stable calendar, each month the updates and news for each type of data release are conditional on the same (updated) set of data releases. Since blocks of releases typically correspond to an economic classification: money indicators, prices, industrial production series, labor market variables etc., our measure of news refers to aggregates of variables in a certain category rather than to a single indicator.

The third question is whether the marginal contribution of a block of releases is due to its “timeliness” or to its “quality.” The distinction between timeliness and quality arises because the marginal value of a data release depends on the new information in the release; i.e. it depends on the difference between the data that are released and the values that were predicted by the model just before the release. The earlier a given series is released (timeliness), the smaller the information set for its predicted value and the greater, *ceteris paribus*, is the news in the release. Its “quality” depends on the predictive power of an information block given the same conditioning information set as for other information blocks. Since data are very collinear, the order of the release matters and we may have a situation where high quality data such as GDP, have no marginal impact on GDP itself since they are released with a long lag.

The paper is organized as follows. In Section 2, we describe the problem and the structure of the staggered releases in the United States. In Section 3 we introduce the model, our estimation technique, the computation of the standard errors, and the method for examining the “timeliness” of data. Section 4 describes the empirical analysis and comments on the results. Section 5 concludes.

2 The Problem and the Structure of the Data Sets

2.1 The Problem

We will first describe the problem we are analyzing in a very stylized way. Our aim is to evaluate the current quarter nowcast of key indicators of real economic activity and price dynamics on the basis of the flow of information that becomes available during the quarter.

Within each quarter, contemporaneous values of key macroeconomic variables like GDP are not available, but they can be estimated using higher frequencies variables which are recorded and published more timely. At month v we can define the relevant information set Ω_v^n which includes the relevant n monthly time series and the relevant sample up to month v and compute the following projection:

$$\text{Proj}[GDP_t \mid \Omega_v^n].$$

Let us assume that Ω_v^n is composed of two blocks $[\Omega_v^{n1} \ \Omega_v^{n2}]$ and that the variables in Ω_v^{n2} , say production, are released a month later than those in Ω_v^{n1} , say surveys. This implies that, in month v , variables in Ω_v^{n1} are available up to month v , while variables in Ω_v^{n2} are available up to month $v - 1$. In order not to lose the information in Ω_v^{n2} available up to the previous month, we will have to project on the basis of a dataset which is unbalanced at the end of the month. Our forecasting problem is the generalization of this simple case.

The conditioning set in the projection is a large panel of monthly time series, consisting of about 200 series for the US economy, broadly those examined closely by the staff of the Federal Reserve when making the forecasts.

The data considered are published in thirty six releases per month. The blocks contain direct measures both of real economic activity and prices, and of aggregate and sectoral variables. Moreover, they include indirect measures of economic developments, such as surveys, financial prices that may reflect current and expected future economic developments and measures of money and credit.

To set the notation, we will denote the information set by:

$$\Omega_{v_j} = \left\{ Y_{it|v_j}; \ i = 1, \dots, n; \ t = 1, \dots, T_{iv_j} \right\}$$

where v denotes the month of the release, and v_j the date of the j th data release within the month. At each point in time v_j , we will refer to the information set as vintage. The latter is composed n variables, $Y_{it|v_j}$, where $i = 1, \dots, n$ identifies the individual time series and $t = 1, \dots, T_{iv_j}$ denotes time in months. Here, T_{iv_j} indicates the last period for which series i in vintage v_j has an observed value. For example, when industrial production is released in month v , the last available observation refers to the previous month $T_{iv_j} = v - 1$, while when surveys are released, the last values refer to the month of the releases $T_{iv_j} = v$.

Let us now track the flow of information within the quarter of interest. We will follow the convention that a quarter k is dated by its last month (for example, the first quarter of 2005, is dated by $k = \text{March05}$). Release j within each quarter k is given

by Ω_{v_j} where $v = k - 2, k - 1, k$, are, respectively, the first, the second and the third month of quarter k .

At v_j , a set of variables $Y_{i,t}, i \in I_{v_j}$ is released and the information set expands from $\Omega_{v_{j-1}}$ to Ω_{v_j} . The new information set differs from the preceding one for two reasons. First, there are new, more recent, observations: $T_{iv_j} \geq T_{iv_{j-1}}, i \in I_{v_j}$, while $T_{iv_j} = T_{iv_{j-1}}, i \notin I_{v_j}$. Second, old data are revised, and data revisions are given by $Y_{it|v_j} - Y_{it|v_{j-1}}, i \in I_{v_j}$. Notice that in absence of data revisions $\Omega_{v_{j-1}} \subseteq \Omega_{v_j}$, i.e. the information set is expanding as time passes by.

The timing and the order of data releases can vary from month to month, i.e. I_{v_j} can be different from $I_{\tilde{v}_j}$, for $v \neq \tilde{v}$. However, releases typically correspond to an economic classification: money indicators, prices, industrial productions, labor market variables etc. and with few exceptions, the differences in the chronological order of the releases are limited. This allows us to construct a stylized calendar in which we combine the series into fifteen data blocks so that, in most cases, they consist of roughly homogeneous variables, containing data released at roughly the same time in the month, roughly preserving the chronological order in which the data are released. We call pseudo vintages the releases which refer to our stylized calendar. We have: $I_{v_j} = I_j, j = 0, 1, \dots, J$.

We want to stress here that, abstracting from data revisions, due to the non synchronicity of data releases, the intra month flow of data is mainly reflected in the increase of cross-sectional information. In particular, at each release date v_j the information set expands because of the inclusion of new information about a group of variables that corresponds to a particular economic classification.

For each information set within the quarter of interest, we compute the nowcast for the variables of interest by simple projection. For a generic variable z_k^q , e.g. GDP growth rate, where the superscript q indicates that the variable is measured at quarterly frequency, we have:

$$\hat{z}_{k|v_j}^q = \text{Proj} \left[z_k^q | \Omega_{v_j} \right], \quad v = k, k - 1, k - 2, \quad j = 1, \dots, J.$$

Once we have obtained the projections, we can compute the news in block j as the change that the release of block j induces in the current estimates of the variable of interest:

$$NEWS[z_k^q, v_j] = \hat{z}_{k|v_j}^q - \hat{z}_{k|v_{j-1}}^q. \quad (2.1)$$

Notice that NEWS is not a standard Wold forecast error. First of all, the structure of the unbalancedness changes with time so that the number of variables within the month is different from month to month. Second, it is affected by the order in which data arrive.

The uncertainty associated with this projection, is estimated by

$$Vz_{k|v_j}^q = E[(\hat{z}_{k|v_j}^q - z_k^q)^2], \quad v = k, k - 1, k - 2$$

Since the dataset is expanding, $Vz_{k|v_j}^q \leq Vz_{k|v_{j-1}}^q$ and the uncertainty is expected to decrease as time passes by. The evolution of this quantity across data releases

measures the extent to which each block of releases helps reduce uncertainty of the nowcast of the variables of interest: more informative releases are expected to produce larger reductions in uncertainty. The reduction of uncertainty provides a measure of the marginal information content of the j th data release and, in general, of the value of an increasingly larger information set.

From the practical point of view, the computation of this projection is not simple. Due to the large number of data we are considering, Ω_{v_j} is very large. The basic idea of this paper is to exploit the collinearity of the series in our panel to summarize the information in Ω in a smaller space generated by the span of few common factors F_t . A projection on the space of the common factors F_t is able to capture the bulk of the covariance of the data and provides a parsimonious well performing forecast. Our problem is split in two steps. First, estimate the factors from the panel, $\hat{F}_{t|v_j} = \text{Proj}[F_t|\Omega_{v_j}]$. Second, project on the span of the estimated factors. Uncertainty of the nowcast can hence be attributed to two components

$$Vz_{k|v_j}^q = V\chi_{z,k|v_j}^q + V\xi_{z,k|v_j}^q.$$

The first component reflects uncertainty on the common component, i.e. the uncertainty arising from the estimation of the common factors; the second component reflects uncertainty on the idiosyncratic, i.e. the variance of that part of the variable not explained by the common factors.

On the basis of the framework outlined here we will also study whether the impact of a release depends on the fact that it is published early (timeliness) or by its economic content (quality). Quality of a block of release is defined as its marginal impact, controlling for the date of the release.

To summarize, our objectives are:

1. Update the current quarter estimate and the forecast of the variables of interest, conditioning on a large set of information.
2. Update on the basis of a panel which at the end of the month is unbalanced.
3. Evaluate “news” in relation to the publication of data releases.
4. Evaluate uncertainty in relation to the flow of information.
5. Evaluate the impact of a release by distinguishing the effect due to timing and that due to quality.

On the basis of this information, we want to evaluate the marginal contribution of different blocks of variables to the forecast and assess whether the latter is due of to the timeliness of the release or to its intrinsic quality.

A model that is suitable to our objectives is defined in the next Section.

3 The Econometric Methodology

The methodology we will propose here is the parametric dynamic factor model proposed by Doz, Giannone, and Reichlin (2005) and applied by GRS to the same variables we are using here. In this framework, once the parameters of the model are estimated consistently through principal components, the Kalman filter is used to update the estimates of the signal and the forecast on the basis of the unbalanced panels.

This parametric version of the factor model can also be used to derive explicit measures of data uncertainty across the vintages.

The Kalman filter allows us to extract the innovation content of each data release (composed of several individual data series) and to identify the news – splitting it from the noise. The underlying signal is computed by the Kalman filter by weighting the innovation content of each variable according to its news to noise ratio.

3.1 The Model

While in Section 2 we defined the problem for a generic quarterly variable $z_{k|v_j}^q$, in describing the model, for simplicity, we will refer to monthly stationary variables. The appendix describes data transformation and the relation between quarterly and monthly quantities in detail. Here let us just say that the variable of interest, $y_{it|v_j}$ is the corresponding monthly series to $z_{k|v_j}^q$, transformed so as to induce stationarity. Obviously different transformations will be required depending on the nature of the variable in question.

We have:

$$y_{it|v_j} = \mu_i + \lambda_i F_t + \xi_{it|v_j}$$

where μ_i is a constant and $\chi_{it} \equiv \lambda_i F_t$ and $\xi_{it|v_j}$ are two orthogonal unobserved stochastic processes.¹ In matrix notation we can write:

$$y_{t|v_j} = \mu + \Lambda F_t + \xi_{t|v_j} = \mu + \chi_t + \xi_{t|v_j}$$

where $y_{t|v_j} = (y_{1t|v_j}, \dots, y_{nt|v_j})'$, $\xi_{t|v_j} = (\xi_{1t|v_j}, \dots, \xi_{nt|v_j})'$, $\Lambda = (\lambda_1', \dots, \lambda_n')'$. We assume that the $n \times 1$ process χ_t (the common component) is a linear function of a few unobserved common factors F_t that capture “almost all” comovements in the economy, while the $n \times 1$ stationary linear process $\xi_{t|v_j}$ (the idiosyncratic component) is driven by n variable-specific shocks. Since data revision errors are typically series specific, we incorporate them in the idiosyncratic component. Additionally, the common factors are supposed to be the same across releases because they summarize the fundamental state of the economy underlying all data releases.

The common and idiosyncratic components are identified under the methodology and assumptions used in estimating the model, as described in section A.3 of the Appendix. The common factors can be consistently estimated by principal components (See Forni, Hallin, Lippi, and Reichlin (2000) and Stock and Watson (2002)) provided that the idiosyncratic shocks exhibit, at most, “weak” cross-correlations.

¹The particular transformations that we use are discussed in Section C of the Appendix.

Our approach is to specify the the dynamics of the common factors as follows:²

$$F_t = AF_{t-1} + Bu_t \quad (3.2)$$

$$u_t \sim WN(0, I_q) \quad (3.3)$$

where B is a $r \times q$ matrix of full rank q , A is a $r \times r$ matrix and all roots of $\det(I_r - Az)$ lie outside the unit circle, and u_t is the shock to the common factor and is a white-noise process. In such a model, a number of common factors (r) that is large relative to the number of common shocks (q) aims at capturing the lead and lag relations among variables along the business cycle (cfr. Forni, Giannone, Lippi, and Reichlin (2005) for details).

In the empirical estimates, r and q will be set equal to ten and two, respectively. These choices are based on findings in GRS and correspond to the idea that the economy can be described as being driven by $q = 2$ large pervasive shocks with heterogeneous dynamics captured by the parameter r .

To estimate the factors on the basis of an unbalanced data set, for the idiosyncratic shock we assume:

$$E(\xi_{it|v_j}^2) = \tilde{\psi}_i = \begin{cases} \psi_i & \text{if } y_{it|v_j} \text{ is available} \\ \infty & \text{if } y_{it|v_j} \text{ is not available.} \end{cases} \quad (3.4)$$

The data generating process of the idiosyncratic components is parameterized by specifying, for available vintages, the following conditions:

$$E(\xi_{t|v_j} \xi'_{t|v_j}) = \text{diag}(\tilde{\psi}_1, \dots, \tilde{\psi}_n) \quad (3.5)$$

$$E(\xi_{t|v_j} \xi'_{t-s|v_j}) = 0, s > 0. \quad (3.6)$$

We also assume that $\xi_{it|v_j}$ is orthogonal to the common shocks u_t :

$$E(\xi_{t|v_j} u'_{t-s|v_j}) = 0, \text{ for all } s. \quad (3.7)$$

Our model consists of equations 3.2 through 3.7, and we can use the Kalman filter to estimate the common factors F_t by assuming that errors are Gaussian. If we replace the parameters of the model above by their consistent estimates (see section A.3 of the Appendix for details), we can estimate the common factors as:

$$\hat{F}_{t|v_j} = \text{Proj}[F_t \mid \Omega_{v_j}; \hat{\Lambda}, \hat{A}, \hat{B}, \hat{\Psi}]. \quad (3.8)$$

In particular, imposing $\tilde{\psi}_{it|v_j} = \infty$ when $y_{it|v_j}$ is missing (see equation 3.4) implies that the filter, through its implicit signal extraction process, will put no weight on the missing variable in the computation of the factors at time t .

²The relation of our model to that used in estimating principal components is discussed in Section A.4 of the Appendix.

The Kalman filter is also used to evaluate the degree of precision of the factor estimates given the consistent parameter estimates, with the degree of precision reflecting that of the signal extraction process for estimating the factor:

$$\hat{V}_{s|v_j} = E[(F_t - \hat{F}_t)(F_{t-s} - \hat{F}_{t-s})'; \hat{\Lambda}, \hat{A}, \hat{B}, \hat{\Psi}].$$

Our estimates of the signal and their degree of precision are given by:

$$\hat{\chi}_{it|v_j} = \text{Proj}[\chi_{it} | \Omega_{v_j}; \hat{\Lambda}, \hat{A}, \hat{B}, \hat{\Psi}] = \hat{\Lambda}_i \hat{F}_{t|v_j}$$

$$E(\chi_{it} - \hat{\chi}_{it|v_j})^2 = \hat{\Lambda}_i' \hat{V}_{0|v_j} \hat{\Lambda}_i$$

A discussion of the assumptions is in the appendix.

3.2 Forecasts and Uncertainty

Turning to the nowcast, notice that in the state space representation we assume that only the common component of each series is forecastable. Empirically, this restriction does not create any relevant loss of information because the common factors are able to capture not only most of the cross-sectional correlation, but also the bulk of the dynamics of the key aggregates (for evidence on this point, see GRS).

Hence, if $y_{it|v_j}$ is not available, because y_{it} has not been released yet at vintage v , (this is always the case if $t > v$), then our estimates are given by $\hat{y}_{it|v_j} = \hat{\mu}_i + \hat{\chi}_{it|v_j}$. On the other hand we assume that if an official estimate for $y_{it|v_j}$ is available, so that y_{it} has been released at vintage v_j , then $\hat{y}_{it|v_j} = y_{it|v_j}$. More precisely:

$$\hat{y}_{it|v_j} = \text{Proj}[y_{it|v_j} | \Omega_{v_j}; \hat{\Lambda}, \hat{A}, \hat{B}, \hat{\Psi}] \quad (3.9)$$

$$= (1 - \delta_{it|v_j})y_{it|v_j} + \delta_{it|v_j}(\hat{\mu}_i + \hat{\chi}_{it|v_j}).$$

where:

$$\delta_{it|v_j} = \begin{cases} 0 & \text{if } y_{it|v_j} \text{ is available} \\ 1 & \text{if } y_{it|v_j} \text{ is not available} \end{cases}$$

From these equations, as indicated in Section 1, we can compute the news induced by the release of block j to the nowcast of y_{it} :

$$NEWS[i, v_j] = \hat{y}_{it|v_j} - \hat{y}_{it|v_{j-1}} \quad (3.10)$$

Because the projections by which these forecasts are calculated assume that the parameters are given, and thus the relative weights in the signal extraction process are unchanged, this measure of news reflects the updating of the factors due only to the new information in vintage v_j , conditional on the information in vintage v_{j-1} . This measure of the news allows us to determine whether particular releases contain relevant

information in a real-time setting and thus whether it is worthwhile to estimate the signal at each intra-month data release.

Also, for each vintage, the confidence bands for the forecast can be easily computed from the state space representation. Let us consider the difference between the expected value computed at vintage w and the official realized released in the future at date $\tilde{w}$ ($\tilde{w} > w$). Our measure of uncertainty about this realized value is defined as:

$$\widehat{V}y_{it|w} = E[(\hat{y}_{it|w} - y_{it|\tilde{w}})^2; \hat{\Lambda}, \hat{A}, \hat{B}, \hat{\Psi}]. \quad (3.11)$$

Alternatively, if y_{it} has not been released yet at vintage w , we have:

$$\begin{aligned} \widehat{V}y_{it|w} &= E[(\hat{\chi}_{it|w} - \chi_{it})^2; \hat{\Lambda}, \hat{A}, \hat{B}, \hat{\Psi}] + E(\xi_{it|\tilde{w}}^2) \\ &= \widehat{V}\chi_{it|w} + \widehat{V}\xi_{it|w} \end{aligned}$$

where $\widehat{V}\chi_{jt|w} = \hat{\Lambda}'_i \hat{V}_{0|w} \hat{\Lambda}_i$ and $\widehat{V}\xi_{jt|w} = \hat{\psi}_j$. Notice that this measure of uncertainty is independent of $\tilde{w}$ by assumption (cfr. section 3).

On the other hand, if there is an official release of y_{it} at vintage w , we have

$$\widehat{V}y_{it|w} = E[(\hat{\chi}_{it|w} - \chi_{it})^2 \mid y_{1|w}, \dots, y_{w|w}; \hat{\Lambda}, \hat{A}, \hat{B}, \hat{\Psi}] + E(\hat{\xi}_{it|w} - \xi_{it|w_2})^2$$

where there is no covariance term due to the orthogonality of the factor and the idiosyncratic term.

This quantity measures the size of the revision error between vintage w and vintage $\tilde{w}$. To estimate it, it is necessary to have an assessment on the evolution of the idiosyncratic component at each release $E(\hat{\xi}_{it|w} - \xi_{it|\tilde{w}})^2$. In addition, notice that $E(\hat{\chi}_{it|w} - \chi_{it})^2$ will provide a lower bound for the variance of the revisions. For simplicity, we will not measure uncertainty due to revision errors, hence we will assume that $E[\hat{y}_{it|w} - y_{it|\tilde{w}}]^2 = 0$ if there is an official release of y_{it} at vintage w .³

In summary, we have:

$$\widehat{V}y_{it|v_j} = \delta_{it|v_j} \left(\widehat{V}\chi_{it|v_j} + \widehat{V}\xi_{it|v_j} \right) \quad (3.12)$$

Notice that there are two sources of uncertainty, one associated with the signal extraction problem (extraction of χ_t), the other due to the presence of idiosyncratic components (ξ_t).

The appendix detail how to adapt these measures of news and uncertainty to obtain the statistics described in Section 2.1 for the data of interest transformed in quarterly rates.

³An analysis of the data revision process will require a separate discussion, and is beyond the scope of the paper.

4 Empirics

The measures of news and uncertainty introduced in Section 2 will now be applied to the real-time vintages of data sets from June 2003 through March 2004 and to the pseudo real-time vintages we have constructed for each of those months, capturing the actual chronological order of the data releases (see again Section 2). We also present these measures in a way that controls for the timeliness of the data releases.

4.1 Data

The dataset is described in Table 1. As anticipated in Section 2.1, it consists of about 200 macroeconomic indicators and the sample, in each vintage, starts in 1982.

All variables are monthly, except for GDP and GDP deflator for which monthly measures are derived from linear interpolation.⁴ Details on data transformation are reported in Appendix C. Let us here stress that price variables are treated as $I(2)$ in estimation, but results will be reported for the level of inflation.

Table 1 describes the structure of the information within the quarter. Variables (releases) are indicated in Column 2 while Column 1 indicates the associated block. As described in Section 2, we have 15 blocks of releases.⁵ Different blocks of releases are published at different dates throughout a month (column 3) and may refer to different dates (column 4). Typically, surveys have very short publishing lags and often are forecasts for future months or quarters, while GDP, for example, is released with a relatively long delay.⁶ Industrial production, price variables and others are intermediate cases.

In column 3, we start our “data month” with the Consumer Credit release on the 5th business day of the month and end it with the Employment Situation release on the first Friday of the following month. With this convention, the data set that we label as June, for example, only includes values for June and earlier, although the data in the latest Labor and Wages block contained in that data set were released in the first week of July. After the release of the Labor and Wages block, we track the flow of information within each month by exploiting the fact that our information blocks preserve the chronological ordering of the releases.

As indicated in the third column of Table 1 and anticipated in the discussion of Section 2, the timing of releases varies somewhat from month to month. To overcome this problem, we construct pseudo intra-month vintages according to a stylized data release calendar, by assigning to the vintages the most common timing pattern and keeping that timing fixed across our 21 monthly data sets. The construction of the

⁴Although very simple, this transformation works because it is applied to only a small number of series and the distortion is expected to go into the idiosyncratic factor (See Altissimo, Bassanetti, Cristadoro, Forni, Hallin, and Lippi (2001)). In fact, the results in GRS show that the model performs quite well even with such a simple transformation. The procedure might be improved using more sophisticated types of interpolation, that is beyond the scope of the paper.

⁵Appendix C reports the source of each data release. The individual series in each release (and block) are reported in Appendix B.

⁶The releases of the GDP and Income block for the first, second and third months of the quarter contain the GDP and Income data from the “advance”, “preliminary” and “final” releases, respectively.

Table 1

Block Name (1)	Release (2)	Timing (approx.) (3)	Publishing Lag (4)	Frequency of data (5)
Mixed 1	G:19 Consumer Credit	5th business day of month	two months	Monthly
Mixed 1	Advance Monthly Sales For Retail and Food Services	11-15th of month	one month	Monthly
Mixed 1	Monthly Treasury Statement of Receipts and Outlays of the U.S. Government	Middle of month	one month	Monthly
IP	FT900 U.S. International Trade in Goods and Services: Exhibit 5	2nd full week of month	two months	Monthly
Mixed 2	G:17 Industrial Production and Capacity Utilization	15th to 17th of month	one month	Monthly
Mixed 2	New Residential Construction	16th to the 20th of month	one month	Monthly
PPI	Federal Reserve Bank of Philadelphia Business Outlook Survey	3rd Thursday of month	current month	Monthly
CPI	Producer Prices	Middle of month	one month	Monthly
GDP & Income	Consumer Prices	Middle of month	one month	Monthly
GDP & Income	GDP - detail: inventories and sales	Day after GDP - release	two months	Monthly
GDP & Income	GDP - release: GDP and GDP deflator	Last week of month	one quarter	Quarterly
Housing	Personal Income and Outlays	Day after GDP - release	one month	Monthly
Housing	Manufactured Homes Survey	3rd to last bus. day of month	one month	Monthly
Surveys 1	New Residential Sales	Last week of month	one month	Monthly
Surveys 1	Chicago Fed MMI Survey	Last week of month	one month	Monthly
Surveys 1	Consumer Confidence Index	Last Tues. of month	current month	Monthly
Surveys 1	Michigan Survey of Consumers	Last Fri. of the month	current month	Monthly
Initial Claims	Claims, Unemployment Insurance Weekly Claims Report	Last Thurs. of month: Monthly ave.	current month	Weekly
Interest Rates	Freddie Mac Primary Mortgage Survey	Last Wed. of month: Monthly ave.	current month	Weekly
Interest Rates	H:15 Selected Interest Rates	Last day of month: Monthly ave.	current month	Daily
Financial	H:10 Foreign Exchange Rates	Last day of month: Monthly ave.	current month	Daily
Financial	Price of gold	Last day of month: Monthly ave.	current month	Daily
Financial	NYSE	Last day of month: Monthly ave.	current month	Daily
Financial	S&P (wkly)	Last day of month: Monthly ave.	current month	Daily
Financial	Wilshire	Last day of month: Monthly ave.	current month	Daily
Surveys 2	PMGR-Manufacturing	1st business day of month	current month	Monthly
Mixed 3	Commercial Paper	1st bus. day of month	current month	Monthly
Mixed 3	Construction Put in Place	1st bus. day of month	one month	Monthly
Mixed 3	M3: Advance Report on Durable Goods Manufacturers Shipments, Inventories and Orders	23rd - 29th / 30th - 6th	one month	Monthly
Mixed 3	M3: Full Report on Durable Goods Manufacturers Shipments, Inventories and Orders	5 days after Advance Durables	one month	Monthly
Money & Credit	Consumer Delinq. Bulletin	Quarterly (series is monthly)	two quarters	Monthly
Money & Credit	H:3 Aggregate Reserves of Depository Institutions and the Monetary Base	1st Thurs. of month	current month	Monthly
Money & Credit	H:6 Money Stock Measures	2nd Thurs. of month	one month	Monthly
Money & Credit	H:8 Assets and Liabilities of Commercial Banks in the United States	1st Fri. of month	one month	Monthly
Labor & Wages	Employment Situation	1st Fri. of month	current month	Monthly

vintages is discussed in more detail in Section A.1 of the Appendix.

Following the notation introduced in Section 2, v_0 indexes the vintage just before the release of the first block (Mixed 1), while v_1 indexes the vintage after the release of Mixed 1 and before the release of the second block (IP). Just after the Labor and Wages release, we have the last vintage of the month, indexed by v_{15} .

With this convention, the starting vintage in each month is equal to the last vintage of the subsequent month: so the vintages indexed by v_{15} and $(v+1)_0$ are the same. Because the data blocks defining the vintages are in the same order each month, we use v_j to index both the vintages and the time at which they are released. So, we will say variables in the first block (Mixed 1) are updated in vintage v_1 and are released at time v_1 .

The way we treat financial variables deserves a comment. Financial variables and interest rates are the most timely since they are available on a daily basis. In principle daily information could be used to update the estimates of GDP and inflation as, for example, in Evans (2005). Our approach is different. Since the bulk of our data is monthly, we disregard information from financial variables at frequencies lower than the month and let them enter the model as monthly averages. We make the arbitrary assumption that they become available only at the end of the month which implies that their effect is underestimated.

4.2 News and Uncertainty in Real-Time

In this section we report summary statistics evaluated using real time vintages from July 2003 to March 2005. These measures are derived using the “real-time” and “pseudo real-time” vintages in their natural chronological order and thus correspond to the exercise in which the forecaster updates her nowcasts after the release of each information block.

We report statistics on uncertainty around the current quarter nowcast of key variables and on the size of the news derived using real time vintages. For real variables, measures of news and uncertainty are constructed for quarterly quantities derived from monthly data. For inflation variables they are reported for annual inflation. The statistics used are based on formulas (3.10) and (3.12), modified so as to track the quarterly aggregates of interest.

The measure of uncertainty in formula (3.12) depends on the estimated parameters, which change over time because they are recomputed after each vintage of data. Below we report averages of the uncertainty measures across all the quarters considered in the real time exercise. We will refer to this measure as average uncertainty. Similarly, we measure the size of the news as the absolute value of the news measure (3.10) averaged across all the quarters considered in the real time exercise.

Because the impact of the release of block j may differ according to whether the release is in the first, second or third month of the quarter, the average for both uncertainty and news is taken over the seven vintages in our sample and correspond to either to the first, second, or third months of the quarter.

Chart 1, 2 and 3 focus on two key variables: quarterly growth of GDP (Charts 1a, 2a and 3a) and annual growth of GDP deflator (Charts 1b, 2b and 3b) while Charts

4a and 4b consider, respectively, additional real and nominal indicators.⁷

Measures of news for real growth and inflation are shown in Charts 1a and 1b, respectively. Charts 2a-2b, 3a-3b and 4a-4b report the evolution of the uncertainty on the signal (common) and the uncertainty on the variable itself (total). These charts complement the information in Chart 1a-1b by providing a systematic measure of how the accuracy of the nowcast evolves. Chart 2a-2b shows the evolution of the standard errors over the quarter: by understanding whether the marginal impact of a given release has a different effect in the first month than in later months, we can assess the importance of timing in explaining the impact of a particular release. Chart 3a-3b, on the other hand, overlays the three months of the quarter to allow for an easier comparison of the effects of a given block across the three months. Chart 4a-4b reports the same information as Chart 2a-2b, but for additional real and nominal series. These series are: employment on nonfarm payroll (NFP), unemployment rate (UR), personal consumption expenditure price index excluding food and energy (PCEX).

Let us first concentrate on GDP growth. From Charts 1a, 2a and 3a we have three results:

1. Intra-month information matters. Data releases throughout the quarter convey news as can be seen by the fact that the estimates are generally updated as new releases are published (Chart 1a). Moreover, uncertainty decreases uniformly through the quarter (Chart 2a).
2. The release that has the largest impact on the nowcast and its precision in the first month is the “Mixed 2” block. Mixed 2 is composed of two series from the New Residential Construction Release and nine series from the Philadelphia Business Outlook Survey. By way of the Philadelphia survey, Mixed 2 is the most timely release since it is the first block to contain data or forecasts on the current quarter. The two preceding releases in the month (Mixed 1 and Industrial Production) convey information about earlier months only and have almost no impact since they are published relatively late.
3. Other important news for the nowcast of real GDP growth is contained in the blocks of Labor and Wages (which includes the release of the Employment Report) and interest rates (the components of the block compose the yield curve). This emerges from both Chart 1a and 2a.

In general, the striking result is that the surveys (Mixed 2) have a larger impact than the Employment Report (Labor and Wages) which is the news to which financial markets react more strongly. The reason is that, by the time the labor block is released, the information conveyed by the surveys has already been taken into account. This highlights the importance of timing.

Noticeable is also the large effect of the interest rate block on both the nowcast and its uncertainty. The Interest Rate block is the end-of-month average of the weekly 30-year mortgage rate from Freddie Mac and of daily observations of nine interest rates

⁷All statistics are presented numerically in Section D of the Appendix.

from the Federal Reserve's H.15 Release. The later include short and longer-term U.S. Treasury rates and AAA and BAA corporate bond yields. Likewise, the Financial block is composed of end-of-month averages of daily observations on foreign exchange rates, the price of gold, and U.S. stock prices.

Chart 1a *Average Size of News: Nowcasts of Real Growth*

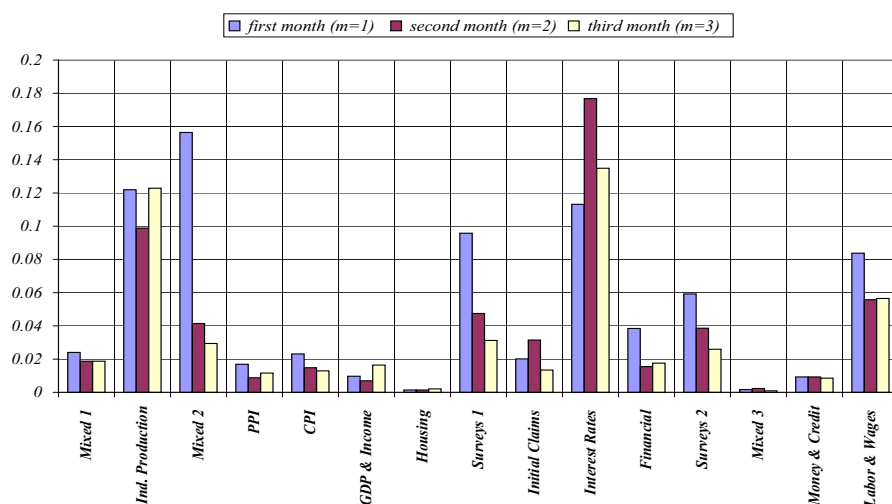


Chart 2a *Average Uncertainty: Nowcast of Real Growth*

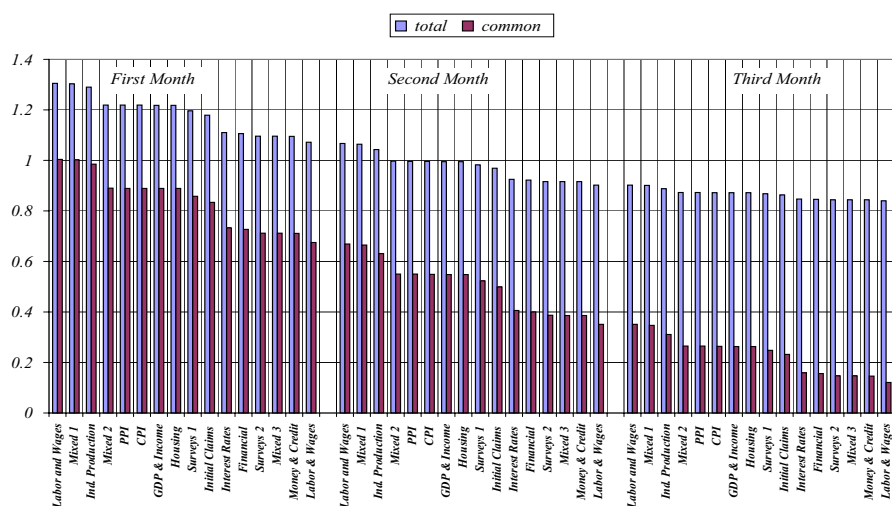


Chart 3a *Average Uncertainty: Nowcast of Real Growth
(Common Component)*

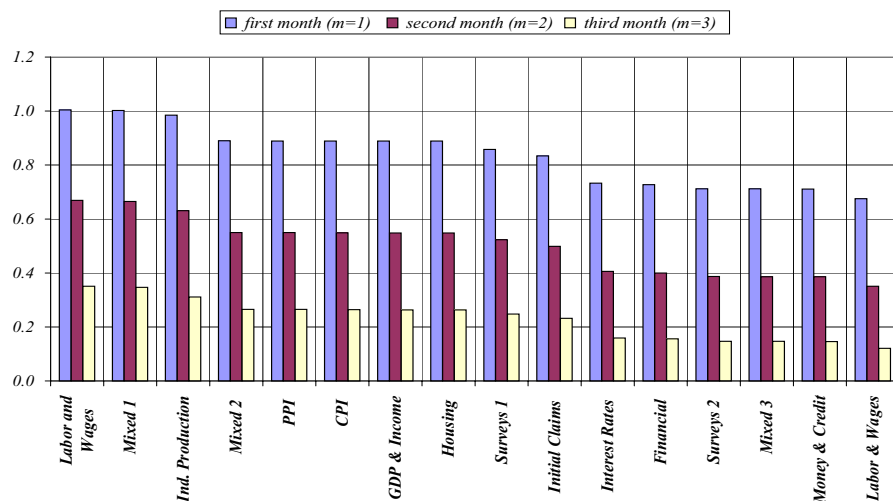
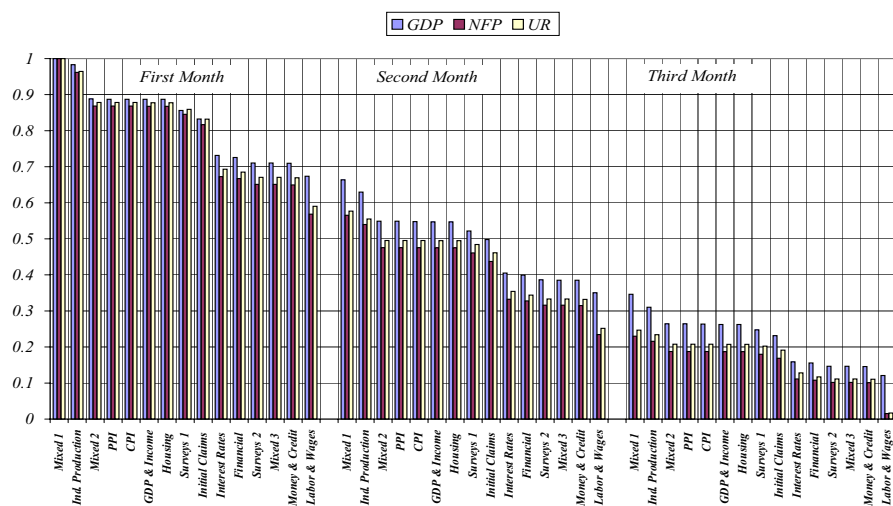


Chart 4a *Average Uncertainty: Nowcast of Alternative Real Variables
(Common Component)*



We now turn to inflation. Let us first remark that, as mentioned, we focus on quarterly growth rate for GDP and on annual rate for what concerns price inflation. The latter is therefore smoother and less sensitive to the news by construction. This feature is evident from Chart 1b. From Chart 2b and 3b we can see that, as in the case of GDP, uncertainty decreases monotonically within the quarter as new information arrives. As for the importance of different blocks, two features are noticeable. First, looking at the evolution of the updates of the estimates (Chart 2a), we can see that a big jump occurs with the release of the GDP and Income block in the first month of the quarter. This release (the “advance” release) contains the first observation for the GDP deflator (and GDP) for the previous quarter and, thus, reveals information about the value of the idiosyncratic shock to the deflator in the previous quarter. This effect, however, is much less pronounced on the common component (the signal) and mainly affects the idiosyncratic component of inflation. This is explained by the fact that, since we have modelled inflation in first differences, the idiosyncratic component has a unit root (empirically it turns out to be well captured by a random walk) so that the nowcast reacts strongly to the information revealed about the idiosyncratic shock in the previous quarter.

More interestingly, an important impact on the precision of the estimates (Chart 2b) is due to the financial block release, containing data on exchange rates and the nominal prices of gold and equities, whereas, unlike in the case of GDP the interest rate block, has no effect. The Financial block, as we have seen, contributes to a noticeable decline in the uncertainty associated to GDP inflation but not for that associated to real GDP. Conversely, the Interest Rate block has an effect that is much more pronounced for real GDP than for inflation. Notice that the role of financial variables and interest rates is likely to be underevaluated since they are available from the markets on a daily basis but we assume that they become available only at the end of the month.

To check for the robustness of these results for the Interest Rate and Financial blocks, we perform the same analysis as in Chart 3 but invert the order of these two blocks. This exercise is motivated by the fact that the order of these two blocks is arbitrary because we constructed them as month-end averages of weekly and daily observations which implies that they become available contemporaneously at the end of the calendar month. As shown in Chart 5, the relative impact of these two blocks are not sensitive to their ordering.

While we have focused on GDP inflation and growth, central bankers and economists at large are also interested in other aggregate measures of inflation and real activity. Measures of uncertainty for the common factor of the nowcast for inflation based on the core deflator for personal consumption expenditures and for the growth rate of employment in nonfarm payrolls and the unemployment rate are presented in Chart 4a and 4b. Notice that the two measures for inflation move closely together, as do the three measures for real activity. Thus below we will continue to focus on the common factor for real GDP and for GDP inflation.

Finally, let us remark that the size of news, unlike the measure of uncertainty, depends on the particular realization over the sample period we use for the out-of-sample exercise. This explains why results on the size of the news are some time different than results on average uncertainty.

Chart 1b *Average Size of News: Nowcasts of Inflation*

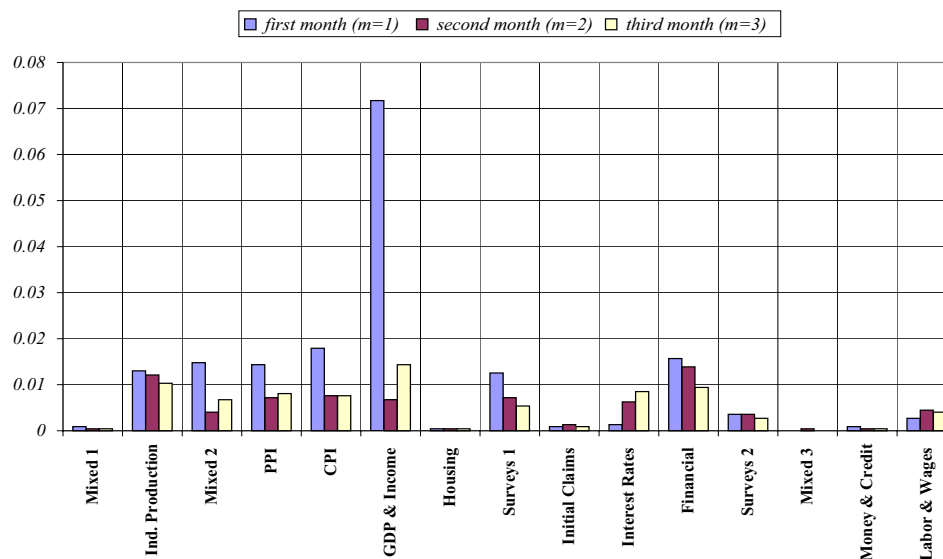


Chart 2b *Average Uncertainty: Nowcast of Inflation*

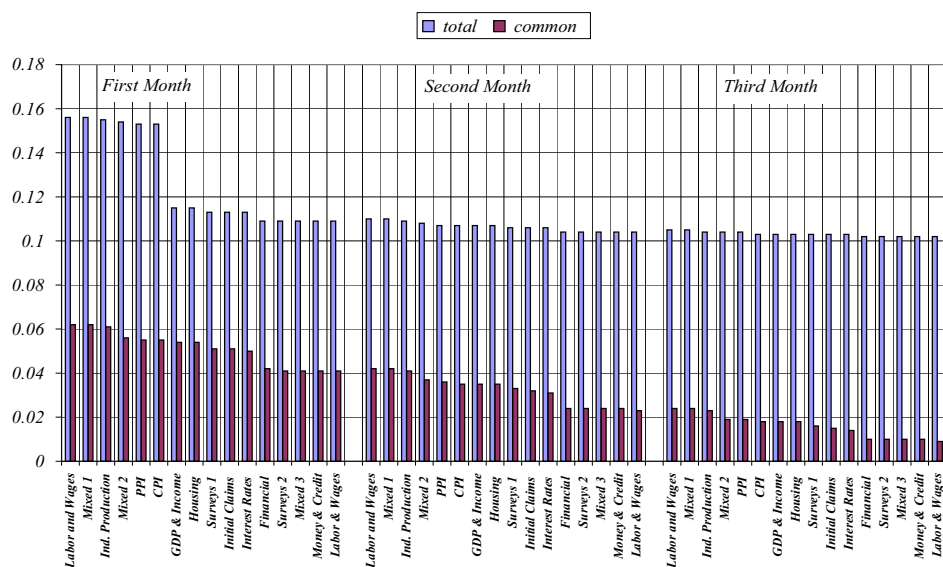


Chart 3b *Average Uncertainty: Nowcast of Inflation*
(Common Component)

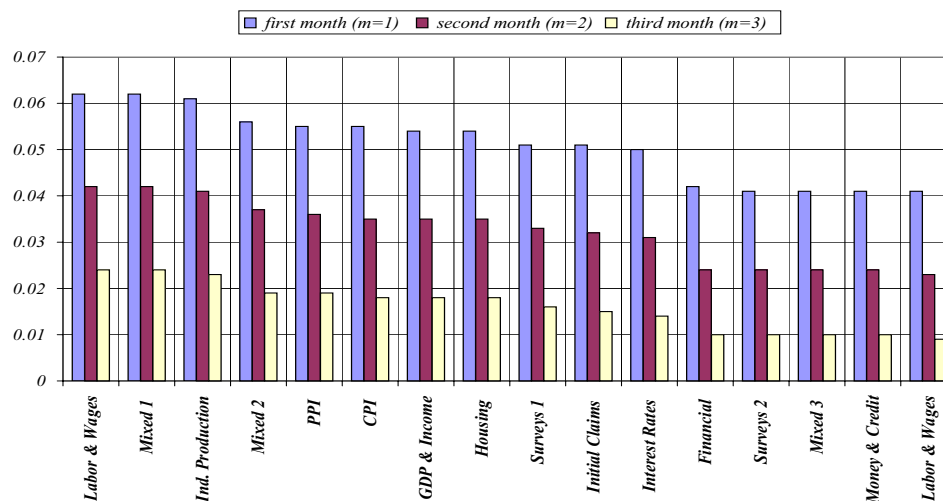


Chart 4b *Average Uncertainty: Nowcast of Alternative Inflation Measures*
(Common Component)

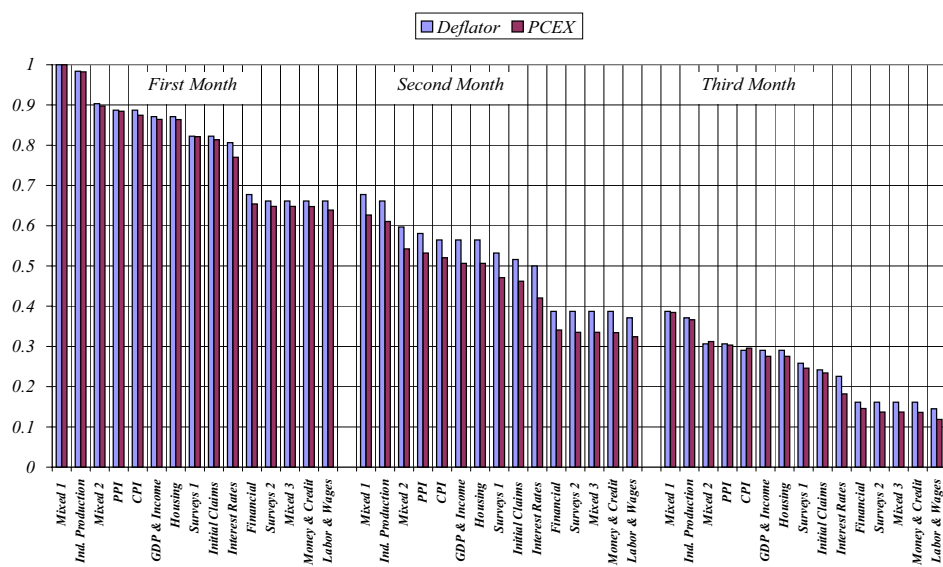


Chart 5a *Average Uncertainty Under Alternative Ordering: Real Growth
(Common Component)*

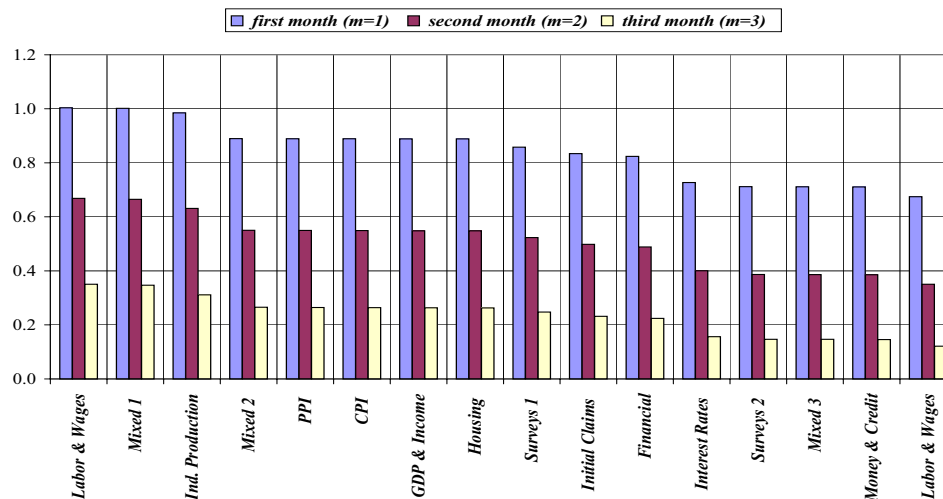
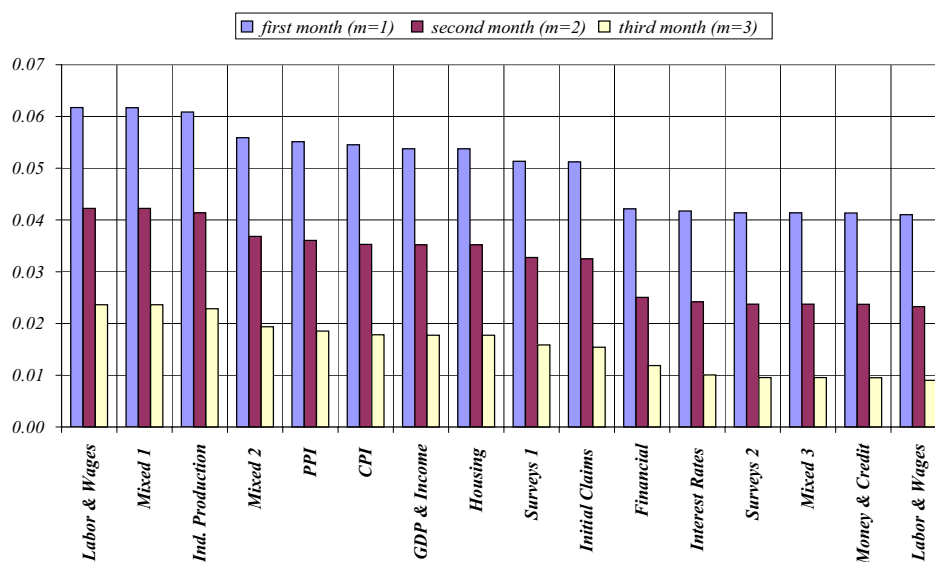


Chart 5b *Average Uncertainty Under Alternative Ordering: Inflation
(Common Component)*



4.3 The Information Content of the Blocks Conditional on Timeliness

The marginal impact of a block is conditional on the set of previously released data. To control for the effect due to timeliness, we construct a counterfactual series of vintage data sets in which data don't differ in their timing or lags of releases. In this way we can construct a measure of "quality" of the data independent of timeliness.

For each of the first three months of 2004, we construct 16 vintages with each vintage corresponding to one of the information blocks. These 48 vintages are denoted by $y_{t|\tilde{v}_j}$, $\tilde{v} = 04m1, \dots, 04m3$; $j = 0, \dots, 15$. In contrast to the real-time vintages, each of these counterfactual vintages is constructed from data in a single real-time vintage (which we choose to be $y_{t|v_0}$, $v = 05m3$). We then truncate this data set at December 2003, thereby producing a data set that is balanced because the truncation deletes periods which may have had missing observations due to lags in releasing data. We denote the series in this data set as $y_{t,\tilde{v}_0}$, $t = 83m1, \dots, 03m11$, $\tilde{v} = 04m1$ and refer to measures of uncertainty constructed from these series as "no release" measures.

Starting with this balanced dataset, we construct pseudo panels in which each block is the most timely. For the data set in which the Mixed 1 block is most timely, we add data for January 2004 but only for variables belonging to Mixed 1, obtaining the counterfactual vintage $y_{t|\tilde{v}_1}$.⁸ Similarly, we start anew with the balanced data set and add data for January 2004 but only for variables belonging to the second block (IP), obtaining the counterfactual vintage $y_{t|\tilde{v}_2}$. In the end, we obtain the counterfactual vintages $y_{t|\tilde{v}_j}$, for $j = 0, \dots, 15$ and $\tilde{v} = 03m1$.

Then we do the same exercise with the balanced panel truncated at January 2004, $y_{t|\tilde{v}_0}$, $\tilde{v} = 04m2$, and add February 2004 data for each block one by one to construct $y_{t|\tilde{v}_j}$, for $j = 0, \dots, 15$ and $\tilde{v} = 05m2$ and so on, up through March. In the end, we obtain $y_{t|\tilde{v}_j}$, for $\tilde{v} = 04m1, \dots, 04m3$, $j = 0, \dots, 15$.

Using these vintages, we construct measures of common-factor uncertainty for the nowcasts. They are reported in Chart 6a and 6b.⁹ The horizontal dashed lines are drawn at the level of the "no release" uncertainty. As it was expected, in each month, each block of information either leaves the average uncertainty of the nowcast unchanged, or reduces it, relatively to the "no release" value.

In Chart 6a we report results for GDP. Industrial production has now become an important block and so has GDP & Income and Labor and Wages. The importance of surveys and interest rates is now reduced.

In Chart 6b we report results for inflation. Compared with Chart 2b, where the main effect was due to surveys, GDP and income and financial variables, we now have a clear effect of the price blocks and of industrial production. The effect of financial variables remain sizeable while that of surveys is reduced.

In general, hard data become important while they were not in the real time exercise, while soft data have a lower impact which reflects the fact that part of their contribution is mainly due to timeliness.

⁸The values for January 2004 that we use here, we use values for this month from the vintage, $v = 05m3$.

⁹In computing these results, we run the Kalman filter over the various datasets but estimate the model parameters only once on the basis of the balanced panel (up to September 2004, in this case). Numerical details of these exercises are reported in Tables 4a and 4b.

We should stress, however, that the effect of financial variables on inflation uncertainty remains large and it is therefore independent of timeliness.

Chart 6a *Counterfactual Average Uncertainty : Real Growth 2004-Q1*
(Common Component)

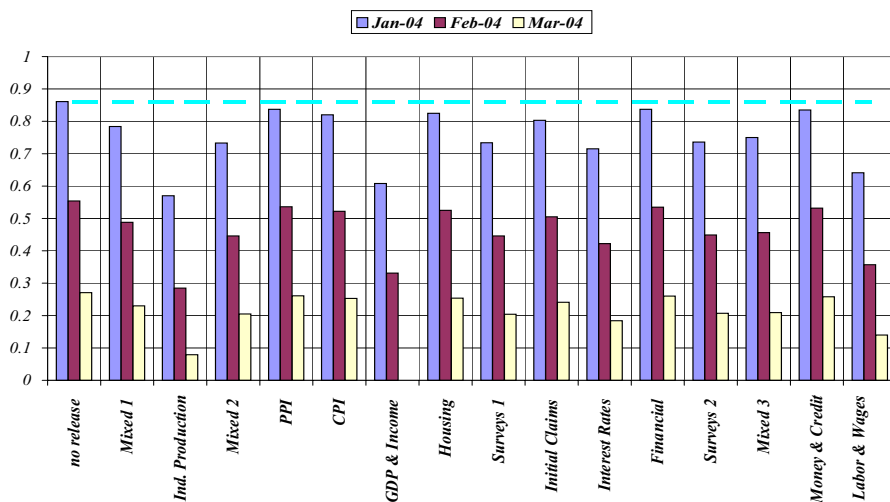
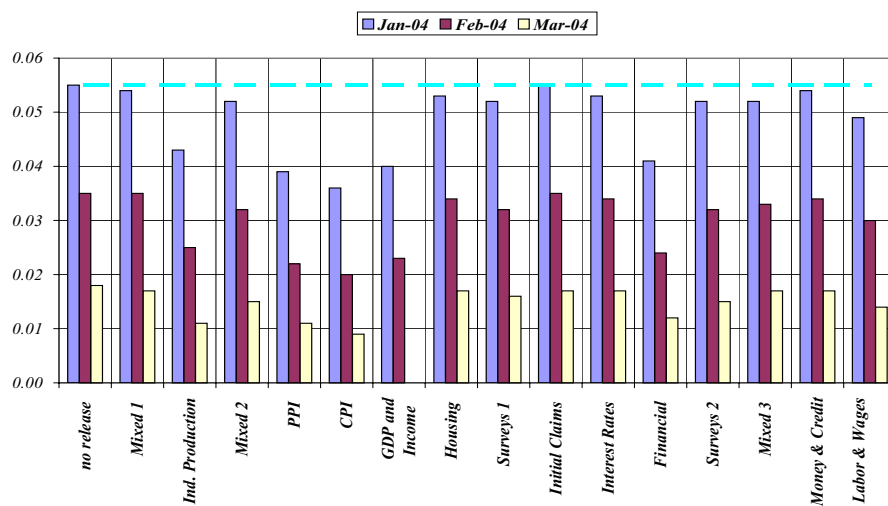


Chart 6b *Counterfactual Average Uncertainty: Inflation 2004-Q1*
(Common Component)



5 Summary and Conclusion

This paper has analysed the impact of the flow of information within the month on the estimate of current quarter GDP growth and inflation before these variables are published. We considered the unsynchronous release of about 200 monthly time series where releases are organized in groups of homogeneous variables. To this end, we have proposed a framework which is an adaptation of the parametric version of the large dynamic factor model proposed by GRS and Doz, Giannone, and Reichlin (2005).

This model allows to analyze the flow of a large number of time series and update the signal on the basis of a panel which, due to the unsynchronous release of data, is unbalanced at the end of the sample.

We find that information matters in the sense that the precision of the signal increases monotonically within the month as new data are released. We also find that both timeliness of the release and quality matter for decreasing uncertainty. Surveys have a large impact on both inflation and output in real time and their effect is larger than the Employment Report. Hard data such as price and real variables have no effect since they are released relatively late. When we control for timeliness, the contribution of hard data increases and we find a sizeable effect of both nominal and real variables on inflation while for GDP only real variables matter. Another finding is that interest rates affect the precision of the estimates of GDP, but not that of inflation while asset prices affect the precision of the nowcast of inflation, but not that of GDP.

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A Appendix

A.1 Construction of the Vintage Data Sets

We construct the sequence of vintages $v_1, \dots, v_{15}$ for a given month v from two data sets: the ones containing all data collected for months $v-1$ and v (including the Employment Report early in the following month). Because these data sets contain the releases of all 15 information blocks, they are denoted as $(v-1)_{15}$ and v_{15} , respectively. The data set $(v-1)_{15}$ is also the initial data set for month v , so $(v-1)_{15} = v_0$.

Starting with v_0 for month v , the data series in that data set are replaced and updated recursively block-by-block with blocks that were released in month v (and that are contained in the data set indexed by v_{15}). For example, v_1 is constructed by identifying the series in Block 1 (Mixed 1) and replacing its values in v_0 with those from v_{15} , while leaving the values for series in all other blocks unchanged. When making such replacements, each series in the block is replaced by the new readings on its current and past values because new releases contain new values not only for the most recent dates, but also for past dates. We call v_1 a “pseudo vintage”, because the data series in it were not literally constructed in real time, they are constructed from information blocks that generally preserve the chronological order of the data releases. The pseudo vintage v_2 is constructed from v_1 by identifying all series in Block 2, taking their values from v_{15} and using them to replace the values for the series reported in v_1 for Block 2. The pseudo vintages $v_3, v_4, \dots, v_{15}$ are constructed in the analogous manner.

In sum, for each month (v = June, 2003; ... ; March 2005), we have 16 vintages indexed by $(v-1)_{15} = v_0, v_1, \dots, v_{15} = (v+1)_0$.

A.2 Transformations of the Data Series

The transformations we apply to the raw data (Y_{it}) so that the model estimation uses data series that are stationary (y_{it}) are:

Data transformations

code	transformation	Description
0	$y_{it} = Y_{it}$	no transformation
1	$y_{it} = \log Y_{it}$	log
2	$y_{it} = (1 - L^3) Y_{it}$	three-month difference
3	$y_{it} = (1 - L^3) \log Y_{it} \times 100$	three-month growth rate
4	$y_{it} = (1 - L^3)(1 - L^{12}) \log Y_{it} \times 100$	three-month difference of yearly growth rate

The particular transformation that we apply to a series is reported in column 4 of the table in Section C of the Appendix.

A.3 Estimation of Parameters

In this section we do not consider the dependence of data on the vintage but instead work under the assumption that the data generating process of the idiosyncratic component is the same across different releases. In particular, we assume homoscedasticity

of the idiosyncratic component across vintages, $E\xi_{t|v_j}\xi'_{t|v_j} = \Psi$ for all v_j . However, relaxing this assumption does not have major consequences for the results below because the principal component estimator is robust to a limited amount of heteroscedasticity, which could be induced by the data revision process (see e.g. Bai (2003)).

The assumptions that allow us to identify the common and idiosyncratic components of the model are:

A1. Common factors are pervasive

$$\liminf_{n \rightarrow \infty} \left(\frac{1}{n} \Lambda' \Lambda \right) > 0,$$

and

A2. Idiosyncratic factors are non-pervasive

$$\lim_{n \rightarrow \infty} \frac{1}{n} \left(\max_{v'v=1} v' \Psi v \right) = 0.$$

Assumption A1 implies that the common factors must be understood as sources of variation that remain pervasive as we increase the number of series in the dataset. In that sense, the common factors correspond to the notion of macroeconomic shocks. Assumption A.2 implies that idiosyncratic factors may affect more than one particular series (Ψ need not be diagonal, however the idiosyncratic shocks are assumed to be stationary), but the effects of an idiosyncratic shock are limited to a particular cluster and do not propagate throughout the macroeconomy.

Next, we define:

$$x_{it} = y_{it} - \hat{\mu}_i$$

$$z_{it} = \frac{1}{\hat{\sigma}_i} (y_{it} - \hat{\mu}_{it}),$$

where $\hat{\mu}_{it} = \frac{1}{T} \sum_{t=1}^T y_{it}$ and $\hat{\sigma}_i = \sqrt{\frac{1}{T} \sum_{t=1}^T (y_{it} - \hat{\mu}_{it})^2}$.

Consider the following estimator of the common factors:

$$(\tilde{F}_t, \hat{\Lambda}) = \arg \min_{F_t, \Lambda} \sum_{t=1}^T \sum_{i=1}^n (z_{it} - \lambda_i F_t)^2$$

To derive these estimators, define the sample correlation matrix of the observables (z_t):

$$S = \frac{1}{T} \sum_{t=1}^T z_t z_t'$$

Denote by D the $r \times r$ diagonal matrix with diagonal elements given the largest r eigenvalues of S and denote by V the $n \times r$ matrix of the corresponding eigenvectors subject to the normalization $V'V = I_r$. We estimate the factors as:

$$\tilde{F}_t = V' z_t$$

The factor loadings, $\hat{\Lambda}$, and the covariance matrix of the idiosyncratic components, $\hat{\Psi}$, are estimated by regressing the variables on the estimated factors:

$$\hat{\Lambda} = \sum_{t=1}^T x_t \tilde{F}_t' \left(\sum_{t=1}^T \tilde{F}_t \tilde{F}_t' \right)^{-1} = V$$

and

$$\hat{\Psi} = \text{diag}(S - VDV).^{10}$$

The other parameters are estimated by running a VAR on the estimated factors, precisely:

$$\begin{aligned} \hat{A} &= \sum_{t=2}^T \tilde{F}_t \tilde{F}_{t-1}' \left(\sum_{t=2}^T \tilde{F}_{t-1} \tilde{F}_{t-1}' \right)^{-1} \\ \hat{\Sigma} &= \frac{1}{T-1} \sum_{t=2}^T \tilde{F}_t \tilde{F}_t' - \hat{A} \left(\frac{1}{T-1} \sum_{t=2}^T \tilde{F}_{t-1} \tilde{F}_{t-1}' \right) \hat{A}' \end{aligned}$$

Define P as the $q \times q$ diagonal matrix with the entries given by the largest q eigenvalues of $\hat{\Sigma}$ and by M the $r \times q$ matrix of the corresponding eigenvectors, then:

$$\hat{B} = MP^{1/2}$$

The estimates $\hat{\mu}$, $\hat{\Lambda}$, $\hat{\Psi}$, $\hat{A}$, $\hat{B}$ can be shown to be consistent as $n, T \rightarrow \infty$. Under assumptions A1 and A2 this is proven in Forni et al. 2005 and, under slightly different assumptions by Stock and Watson(2002), Bai and Ng(2003) and Giannone, Reichlin and Sala(2003).

For unbalanced panels the parameters of the model, μ, Λ, A, B, Ψ are estimated using data up to the last date when the balanced panel is available.

Then we reestimate the factors through the Kalman filter as outlined above in section 3.1.¹¹ Loosely speaking, the Kalman filter, computes the factors by weighting the innovation content of each variable ($x_{i,t+1} - E[x_{i,t+1}|x_1, \dots, x_t; \hat{\Lambda}, \hat{A}, \hat{B}, \hat{\Psi}]$) accordingly to its news (the part driven by common shocks u_t) to noise (the part driven by components ξ_{it}) ratio.

¹⁰For any square matrix A , $\text{diag}(A)$ is the matrix A with off-diagonal elements set equal to zero. In estimating Ψ , we estimate only the diagonal elements and set the off-diagonal elements to zero.

¹¹Notice that the parameters Λ, A, Ψ, B can be reestimated by OLS on the new factors $\hat{F}_t$ using the implied second order moments which can be computed by running the Kalman smoother. This is one step of the EM algorithm, hence by iterating until convergence, we obtain Maximum Likelihood estimates under Gaussian assumptions. Such a procedure has been used by Engle and Watson (1981) and Stock and Watson (1989) with an handful of time series to compute coincident and lagging indicators, and by Quah and Sargent (2004) with a larger panel of time series. On the development of this idea and some theoretical results, see Doz, Giannone, and Reichlin (2005).

A.4 Estimation of the common factors: relation to Principal Components and Weighted Principal Components

Notice that principal components and weighted principal components are a particular case of the estimates of the common factors derived above. In fact, if we constrain $\hat{A} = 0$ and $\hat{\Psi} = \frac{1}{n} \sum_{i=1}^n \hat{\psi}_i I_n = \bar{\psi} I_n$, then the Kalman filter is redundant since the factor estimated with the Kalman filter step will be proportional to the principal components estimates:

$$\hat{F}_t = (\bar{\psi} I_r + \hat{\Lambda}' \hat{\Lambda})^{-1} \hat{\Lambda}' x_t \propto V' z_t = \tilde{F}_t$$

However, if only $\hat{A} = 0$ is imposed, then

$$\hat{F}_t = (I_r + \hat{\Lambda}' \hat{\Psi}^{-1} \hat{\Lambda})^{-1} \hat{\Lambda}' \hat{\Psi}^{-1} x_t,$$

so the estimated factors are proportional to the weighted principal components, i.e. principal components on the weighted data $\Psi^{-1/2} x_t$.¹²

With both principal components and generalized principal components, the estimates of the factors are computed by projecting only on the present observations and, thus, the dynamic properties of the factors are not taken into account. In our case, the Kalman filter performs the projection on present and past observations and, thus, takes into consideration the dynamics of the factors and the degree of commonality of each time series. However, when running the Kalman filter, we do not exploit the time series and cross-sectional correlations of the idiosyncratic shocks which are treated as uncorrelated both in time and in the cross section. Estimates are, however, still consistent under the approximate factor structure (Assumption A1 and A2), as shown in Doz, Giannone, and Reichlin (2005).

A.5 Statistics for the Untransformed Data

In general, the measures of news and uncertainty in equations 3.10 and 3.12 apply to measures of our data over which the model has been estimated: that is, they apply to monthly data and to data that has been transformed so as to be stationary. Here we derive such measures that apply to data expressed in ways more commonly used by economists.

Series with native frequencies higher than monthly, such as financial and interest rates, are aggregated to monthly frequencies by taking simple within-month averages. And in general, to derive such measures from monthly variables, one or both of two adjustments need to be made to the measures: 1) to adjust from the model's monthly forecasts to quarterly forecasts and 2) to adjust from stationary series to non-stationary series. These issues are discussed below.

Case 1: Interpolations All the variables in our model are expressed as monthly series; for example monthly growth rates and monthly inflation. Accordingly, the measures of NEWS and uncertainty derived above in the text apply to series of this frequency. With most practitioners of monetary policy commonly interested in inflation

¹²Different versions of such an estimator were proposed by Boivin and Ng (2003), Forni and Reichlin (2001), Forni, Hallin, Lippi, and Reichlin (2003).

and growth at the quarterly frequency (in part because this is the highest frequency at which real GDP and the GDP deflator are published), we transform our measures of News and uncertainty to the quarterly frequency.

To set notation, the quarterly measure of variable z will be denoted, as in section, 2.1, by:

$$z_k^q, k \in \mathbb{N}.$$

As an example, consider the case of real GDP. Its quarterly growth rate, defined in the first equation below, can be expressed in terms of the measure y_{zt} , over which the model was estimated:

$$z_k^q = (\log(Y_{z,k} + Y_{z,k-1} + Y_{z,k-2}) - \log(Y_{z,k-3} + Y_{z,k-4} + Y_{z,k-5})) \times 400$$

Since variables enter our model as three-month annualized growth rates,

$$y_{z,k} = (\log(Y_{z,k}) - \log(Y_{z,k-3})) \times 400$$

Hence, we have:

$$z_k^q \sim (y_{z,k} + y_{z,k-1} + y_{z,k-2})/3$$

where, as stressed above, we have defined the quarter by its last month

We aggregate the forecast accordingly:

$$\hat{z}_{k|v_j}^q = \hat{y}_{z,k|v_j} + \hat{y}_{z,k-1|v_j} + \hat{y}_{z,k-2|v_j},$$

and derive the measure of “NEWS” in a analogous manner to that of equation 3.10.

For the construction of the corresponding uncertainty, we have to take into account the autocorrelation between the extracted factors, which is summarized in the following matrix:

$$\hat{\mathcal{V}}_{s|v_j} = \begin{pmatrix} \hat{V}_{0|v_j} & \cdots & \hat{V}'_{s-1|v_j} \\ \vdots & \ddots & \vdots \\ \hat{V}_{s-1|v_j} & \cdots & \hat{V}_{0|v_j} \end{pmatrix}$$

Hence, uncertainty is given by:

$$\begin{aligned} \widehat{VZ}_{k|v_j}^q &= E[(\hat{y}_{z,k|v_j}^q - y_{z,k|v_j}^q)^2 | y_{1|v_j}, \dots, y_{v_j|v_j}; \hat{\Lambda}, \hat{A}, \hat{B}, \hat{\Psi}] \\ &= (H_{z,k|v_j} \otimes \hat{\Lambda}_z) \hat{\mathcal{V}}_{2|v_j} (H_{z,k|v_j} \otimes \hat{\Lambda}_z)' + \hat{\psi}_z H_{z,k|v_z} H'_{z,k|v_z} \\ &= \widehat{V\chi}_{z,k|v_z}^q + \widehat{V\xi}_{z,k|v_j}^q \end{aligned} \tag{A.13}$$

where

$$H_{z,k|v_j} = [\delta_{z,k|v_j}, \delta_{z,k-1|v_j}, \delta_{z,k-2|v_j}]$$

Case 2: Going from Stationary to Non-Stationary Data For some variables, economists are interested in measures of them that are not stationary. For example,

the measure of GDP inflation used in this model is not stationary and was differenced to yield a stationary series with which the model could be estimated. In particular, GDP inflation enters the model as:

$$y_{\pi,t} = \Delta^{3m} \pi_t \equiv \pi_t - \pi_{t-3}$$

where $\pi_t = (\log P_t - \log P_{t-12}) \times 100$ and P_t is the level of the GDP deflator. We are interested in forecasting annual inflation at a quarterly frequency:

$$\pi_k^q = \pi_k + \pi_{k-1} + \pi_{k-2}, \quad k = 1, 2, \dots$$

As described above in Generic Case 1, we can first change from monthly to quarterly forecasts of the change of inflation:

$$\pi_k^q - \pi_{k-3}^q = \Delta^q \pi_k^q = \Delta^{3m} \pi_k + \Delta^{3m} \pi_{k-1} + \Delta^{3m} \pi_{k-2}$$

Denoting the by $\widehat{\Delta} \pi_{k|v_j}^q$ the estimates made at time v_j , our estimates for the level of inflation are given by:

$$\widehat{\pi}_{k|v_j}^q = \pi_{0|v_j}^q + \sum_{j=1}^k \widehat{\Delta} \pi_{j|v_j}^q$$

Uncertainty will be measured accordingly as:

$$\begin{aligned} \widehat{V \pi}_{k|v_j}^q &= E[(\widehat{\pi}_{k|v_j}^q - \pi_{k|v_j}^q)^2 \mid x_{1|v_j}, \dots, x_{v_j|v_j}; \hat{\Lambda}, \hat{A}, \hat{B}, \hat{\Psi}] \\ &= (H_{\pi,k|v_j} \otimes \hat{\Lambda}_\pi) \widehat{V}_{s|v_j} (H_{\pi,k|v_j} \otimes \hat{\Lambda}_\pi)' + \hat{\psi}_\pi H_{\pi,k|v_j} H_{\pi,k|v_j}' \\ &= \widehat{V \chi}_{\pi,k|v_j}^q + \widehat{V \xi}_{\pi,k|v_j}^q \end{aligned} \tag{A.14}$$

where

$$H_{\pi,k|v_j} = [\delta_{\pi,k|v_j}, \delta_{\pi,k-1|v_j}, \dots, \delta_{\pi,k-s|v_j}]$$

and $s = k - v_j - l$ where l is the maximum delay for the release of π_t , as defined in section 2. A similar treatment has been applied to recover the statistics for the unemployment rate which is treated as non stationary and hence enter our model in differences.

B Data Releases and Sources

Block Name	Release Name	Website
Mixed 1	G.19 Consumer Credit	http://www.federalreserve.gov/releases/g19/
Mixed 1	Advance Monthly Sales For Retail and Food Services	http://www.census.gov/svsd/www/fullpub.pdf
Mixed 1	Monthly Treasury Statement of the U.S. Government	http://www.fms.treas.gov/mts/
Mixed 1	FT900 U.S. International Trade	http://www.census.gov/foreign-trade/Press-Release/
IP	G.17 Industrial Production and Capacity Utilization	http://www.federalreserve.gov/releases/G17/
Mixed 2	New Residential Construction	http://www.census.gov/indicator/www/newresconst.pdf
Mixed 2	Business Outlook Survey	http://www.phil.frb.org/econ/bos/index.html
PPI	Producer Price Indexes	http://www.bls.gov/news.release/ppi.pdf
CPI	Consumer Price Index	http://www.bls.gov/news.release/cpi.pdf
GDP & Income	Selected series from underlying detail tables	http://www.bea.gov/bea/dn/nipaweb/nipa_underlying/Index.asp
GDP & Income	Gross Domestic Product	http://www.bea.gov/bea/dn1.htm
GDP & Income	Personal Income and Outlays	http://www.bea.gov/bea/newsrel/pinewsrelease.htm
Housing	Manufactured Homes Survey	http://www.census.gov/const/www/mhsindex.html
Housing	New Residential Sales	http://www.census.gov/const/newresales.pdf
Surveys 1	Chicago Fed Midwest Manufacturing Index	http://www.chicagofed.org/economic_research_and_data/cfmimi.cfm
Surveys 1	Consumer Confidence Index	http://www.pollingreport.com/consumer.htm
Surveys 1	Survey of Consumers	http://www.sca.isr.umich.edu/main.php
Initial Claims	Unemployment Insurance Weekly Claims Report	http://ows.doleta.gov/unemploy/claims_arch.asp
Interest Rates	Freddie Mac Primary Mortgage Survey	http://federalreserve.gov/releases/h15/data/wr/cm.txt
Interest Rates	H.15 Selected Interest Rates	http://www.federalreserve.gov/releases/h15/update/
Financial	Wilshire Index	http://www.wilshire.com/Indexes/calculator/
Financial	S&P Indices	http://www.economy.com/freelunch/
Financial	Exchange rates	http://www.federalreserve.gov/releases/h10/update/
Financial	London Gold PM Fix	http://www.kitco.com/charts/historicalgold.html
Financial	New York Stock Exchange	http://www.economy.com/freelunch/
Surveys 2	The Chicago Report	http://www.napm-chicago.org/current.pdf
Mixed 3	Advance Report on Durable Goods Manufacturers	http://www.census.gov/indicator/www/m3/adv/pdf/durgd.pdf
Mixed 3	Full Report on Durable Goods Manufacturers	http://www.census.gov/indicator/www/m3/prel/pdf/s-i-o.pdf
Mixed 3	Commercial Paper: Commercial Paper Outstanding	http://www.federalreserve.gov/releases/cp/table1.htm
Mixed 3	Construction Spending	http://www.census.gov/const/C30/release.pdf
Money & Credit	American Bankers Association	http://www.aba.com/Surveys+and+Statistics/ss_delinquency.htm
Money & Credit	H.3 Aggregate Reserves	http://www.federalreserve.gov/releases/h3/
Money & Credit	H.6 Money Stock Measures	http://www.federalreserve.gov/releases/h6/
Money & Credit	H.8 Assets and Liabilities of U.S. Commercial Banks	http://www.federalreserve.gov/releases/h8/
Labor & Wages	The Employment Situation	http://www.bls.gov/news.release/pdf/empst.pdf

C Blocks and Individual Series

Block Name	Release	Series	Transformation
Mixed 1	Consumer Credit	New car loans at auto finance companies (NSA): loan to value ratio	3
Mixed 1	Consumer Credit	New car loans at auto finance companies (NSA): Amount financed (\$)	3
Mixed 1	Retail Sales	Sales: Retail & food services, total (mil of \$)	3
Mixed 1	Treasury Statement	Federal govt deficit or surplus (bil of \$) (NSA)	3
Mixed 1	U.S. Merchandise Trade	Total merchandise exports, total census basis (mil of \$)	3
Mixed 1	U.S. Merchandise Trade	Total merchandise imports, total census basis (mil of \$)	3
Mixed 1	U.S. Merchandise Trade	Total merchandise imports (CIF value) (mil of \$) (NSA)	3
IP	IP Release	Total	3
IP	IP Release	Final Products and non-industrial supplies	3
IP	IP Release	Final products	3
IP	IP Release	Consumer goods	3
IP	IP Release	Durable consumer goods	3
IP	IP Release	Nondurable consumer goods	3
IP	IP Release	Business equipment	3
IP	IP Release	Materials	3
IP	IP Release	Materials, nonenergy, durables	3
IP	IP Release	Materials, nonenergy, nondurables	3
IP	IP Release	Mfg (NAICS)	3
IP	IP Release	Mfg, durables (NAICS)	3
IP	IP Release	Mfg, nondurables (NAICS)	3
IP	IP Release	Mining (NAICS)	3
IP	IP Release	Utilities (NAICS)	3
IP	IP Release	Energy, total (NAICS)	3
IP	IP Release	Non-energy, total (NAICS)	3
IP	IP Release	Motor vehicles and parts (MVP) (NAICS)	3
IP	IP Release	Computers, comm. equip., semiconductors (CCS) (NAICS)	3
IP	IP Release	Non-energy excl CCS (NAICS)	3
IP	IP Release	Non-energy excl CCS and MVP (NAICS)	3
IP	IP Release	Capacity Utilization: Total (NAICS)	2
IP	IP Release	Capacity Utilization: Mfg (NAICS)	2
IP	IP Release	Capacity Utilization: Mfg, durables (NAICS)	2
IP	IP Release	Capacity Utilization: Mfg, nondurables (NAICS)	2
IP	IP Release	Capacity Utilization: Mining	2
IP	IP Release	Capacity Utilization: Utilities	2
IP	IP Release	Capacity Utilization: Computers, comm. equip., semiconductors	2
IP	IP Release	Capacity Utilization: Mfg excl CCS	2
Mixed 2	New Residential Construction	Privately-owned housing, started: Total (thous)	3
Mixed 2	New Residential Construction	New privately-owned housing authorized: Total (thous)	3
Mixed 2	Philadelphia BOS	Outlook: General activity	2

Block Name	Release	Series	Transformation
Mixed 2	Philadelphia BOS	Outlook: New orders	2
Mixed 2	Philadelphia BOS	Outlook: Shipments	2
Mixed 2	Philadelphia BOS	Outlook: Inventories	2
Mixed 2	Philadelphia BOS	Outlook: Unfilled orders	2
Mixed 2	Philadelphia BOS	Outlook: Prices paid	2
Mixed 2	Philadelphia BOS	Outlook: Prices received	2
Mixed 2	Philadelphia BOS	Outlook Employment	2
Mixed 2	Philadelphia BOS	Outlook: Work hours	2
PPI	Producer Prices	PPI: finished goods (1982=100 for all PPI data)	4
PPI	Producer Prices	PPI: finished goods less food and energy	4
PPI	Producer Prices	PPI: finished consumer goods	4
PPI	Producer Prices	PPI: intermediate materials	4
PPI	Producer Prices	PPI: crude materials	4
PPI	Producer Prices	PPI: finished goods excl food	4
PPI	Producer Prices	PPI: crude nonfood materials less energy	4
PPI	Producer Prices	PPI: crude materials less energy	4
CPI	Consumer Prices	CPI: all items (urban)	4
CPI	Consumer Prices	CPI: food and beverages	4
CPI	Consumer Prices	CPI: housing	4
CPI	Consumer Prices	CPI: apparel	4
CPI	Consumer Prices	CPI: transportation	4
CPI	Consumer Prices	CPI: medical care	4
CPI	Consumer Prices	CPI: commodities	4
CPI	Consumer Prices	CPI: commodities, durables	4
CPI	Consumer Prices	CPI: services	4
CPI	Consumer Prices	CPI: all items less food	4
CPI	Consumer Prices	CPI: all items less food and energy	4
CPI	Consumer Prices	CPI: all items less shelter	4
CPI	Consumer Prices	CPI: all items less medical care	4
GDP & Income	GDP - release	Real GDP growth (annualized quarterly change)	0
GDP & Income	GDP - release	GDP price index	4
GDP & Income	GDP - detail	Sales: Mfg & Trade : Total (mil of chained 96\$)	3
GDP & Income	GDP - detail	Sales: Mfg & Trade : Mfg, total (mil of chained 96\$)	3
GDP & Income	GDP - detail	Sales: Mfg & Trade : Mfg, durables (mil of chained 96\$)	3
GDP & Income	GDP - detail	Sales: Mfg & Trade : Mfg, nondurables (mil of chained 96\$)	3
GDP & Income	GDP - detail	Sales: Mfg & Trade : Merchant wholesale (mil of chained 96\$)	3
GDP & Income	GDP - detail	Sales: Mfg & Trade : Merchant wholesale, durables (mil of chained 96\$)	3
GDP & Income	GDP - detail	Sales: Mfg & Trade : Merchant wholesale, nondurables (mil of chained 96\$)	3
GDP & Income	GDP - detail	Sales: Mfg & Trade : Retail trade (mil of chained 96\$)	3
GDP & Income	GDP - detail	Inventories: Mfg & Trade, Total (mil of chained 96\$)	3
GDP & Income	GDP - detail	Inventories: Mfg & Trade, Mfg (mil of chained 96\$)	3
GDP & Income	GDP - detail	Inventories: Mfg & Trade, durables (mil of chained 96\$)	3

Block Name	Release	Series	Transformation
GDP & Income	GDP - detail	Inventories: Mfg & Trade, Mfg, nondurables (mil of chained 96\$)	3
GDP & Income	GDP - detail	Inventories: Mfg & Trade, Merchant wholesale (mil of chained 96\$)	3
GDP & Income	GDP - detail	Inventories: Mfg & Trade, Retail trade (mil of chained 96\$)	3
GDP & Income	Personal Income	Real disposable personal income	3
GDP & Income	Personal Income	PCE: Total (bil of chained 96\$)	3
GDP & Income	Personal Income	PCE: Durables (bil of chained 96\$)	3
GDP & Income	Personal Income	PCE: Nondurables (bil of chained 96\$)	3
GDP & Income	Personal Income	PCE: Services (bil of chained 96\$)	3
GDP & Income	Personal Income	PCE: Durables - MVP - New autos (bil of chained 96\$)	3
GDP & Income	Personal Income	PCE chain weight price index: Total	4
GDP & Income	Personal Income	PCE prices: total excl food and energy	4
GDP & Income	Personal Income	PCE prices: durables	4
GDP & Income	Personal Income	PCE prices: nondurables	4
GDP & Income	Personal Income	PCE prices: services	4
Housing	Manufactured Homes	Mobile homes - mfg shipments (thous)(SA)	3
Housing	New Residential Sales	New 1-family houses sold: Total (thous)	3
Housing	New Residential Sales	New 1-family houses - months supply @ current rate	3
Housing	New Residential Sales	New 1-family houses for sale at end of period (thous)	3
Surveys 1	Chicago Fed MMI Survey	Chicago Fed Midwest Mfg Survey: General activity	3
Surveys 1	Consumer Confidence Index	Index of consumer confidence	2
Surveys 1	Michigan Survey	Michigan Survey: Index of consumer sentiment	2
Initial Claims	Claims (wkly Thurs.)	Avg weekly initial claims	3
Interest Rates	Freddie Mac (wkly Wed.)	Primary market yield on 30-year fixed mortgage	2
Interest Rates	H.15 (daily)	Interest rate: federal funds rate	2
Interest Rates	H.15 (daily)	Interest rate: U.S. 3-mo Treasury (sec. Market)	2
Interest Rates	H.15 (daily)	Interest rate: U.S. 6-mo Treasury (sec. Market)	2
Interest Rates	H.15 (daily)	Interest rate: 1-year Treasury (constant maturity)	2
Interest Rates	H.15 (daily)	Interest rate: 5-year Treasury (constant maturity)	2
Interest Rates	H.15 (daily)	Interest rate: 7-year Treasury (constant maturity)	2
Interest Rates	H.15 (daily)	Interest rate: 10-year Treasury (constant maturity)	2
Interest Rates	H.15 (daily)	Bond yield: Moodys AAA corporate	2
Interest Rates	H.15 (daily)	Bond yield: Moodys BAA corporate	2
Financial	H.10	Nominal effective exchange rate	3
Financial	H.10	Spot Euro/US (2)	3
Financial	H.10	Spot SZ/US	3
Financial	H.10	Spot Japan/US	3
Financial	H.10	Spot UK/US	3
Financial	H.10	Spot CA/US	3
Financial	London PM Fix (daily)	Price of gold (\$/oz) on the London market (recorded in the p.m.)	4
Financial	NYSE	NYSE composite index	3
Financial	NYSE	NYSE : industrial	3
Financial	NYSE	NYSE: utilities	3

Block Name	Release	Series	Transformation
Financial	S&P	S&P composite	3
Financial	S&P (wkly)	S&P dividend yield	3
Financial	S&P (wkly)	S&P P/E ratio	3
Financial	Wilshire (daily)	Wilshire composite index	3
Surveys 2	PMGR-Manufacturing	Purchasing Managers Index (PMI)	2
Surveys 2	PMGR-Manufacturing	ISM mfg index: production (Institute for Supply Management)	2
Surveys 2	PMGR-Manufacturing	ISM mfg index: Employment	2
Surveys 2	PMGR-Manufacturing	ISM mfg index: inventories	2
Surveys 2	PMGR-Manufacturing	ISM mfg index: new orders	2
Surveys 2	PMGR-Manufacturing	ISM mfg index: suppliers deliveries	2
Mixed 3	Commercial Paper	Commercial paper month-end outstanding: Total (mil of \$)	3
Mixed 3	Construction Put in Place	Construction put in place: Total (mil of current \$)	3
Mixed 3	Construction Put in Place	Construction put in place: Private (mil of current \$)	3
Mixed 3	Advance Durables / M3	New Orders: Durable goods industries (mil of \$)	3
Mixed 3	Advance Durables / M3	New Orders: Nondefense capital goods (mil of \$)	3
Mixed 3	M3	New Orders: All manufacturing industries (mil of \$)	3
Mixed 3	M3	New Orders: All manufacturing industries w/unfilled orders (mil of \$)	3
Mixed 3	M3	New Orders: Nondurable goods industries (mil of \$)	3
Mixed 3	M3	Unfilled Orders: All manufacturing industries (mil of \$)	3
Mixed 3	Consumer Delinq. Bulletin	Delinquency rate on bank-held consumer installment loans	3
Money & Credit		Monetary base (mil of \$)	3
Money & Credit	H.3	Depository institutions reserves: Total (mil of \$)	3
Money & Credit	H.3	Depository institutions: nonborrowed (mil of \$)	3
Money & Credit	H.3	M1 (mil of \$)	3
Money & Credit	H.6	M2 (mil of \$)	3
Money & Credit	H.6	M3 (mil of \$)	3
Money & Credit	H.8	Loans and Securities @ all commercial banks: Total (mil of \$)	3
Money & Credit	H.8	Loans and Securities @ all comm banks: Securities, total (mil of \$)	3
Money & Credit	H.8	Loans and Securities @ all comm banks: Securities, U.S. govt (mil of \$)	3
Money & Credit	H.8	Loans and Securities @ all comm banks: Real estate loans (mil of \$)	3
Money & Credit	H.8	Loans and Securities @ all comm banks: Comm and Indus loans (mil of \$)	3
Money & Credit	H.8	Loans and Securities @ all comm banks: Consumer loans (mil of \$)	3
Labor & Wages	Employment Situation	Unemployment rate	2
Labor & Wages	Employment Situation	Participation rate	2
Labor & Wages	Employment Situation	Mean duration of unemployment	3
Labor & Wages	Employment Situation	Persons unemployed less than 5 weeks	3
Labor & Wages	Employment Situation	Persons unemployed 5 to 14 weeks	3
Labor & Wages	Employment Situation	Persons unemployed 15 to 26 weeks	3
Labor & Wages	Employment Situation	Persons unemployed 15+ weeks	3
Labor & Wages	Employment Situation	Employment on nonag payrolls: Total	3
Labor & Wages	Employment Situation	Employment on nonag payrolls: Total private	3
Labor & Wages	Employment Situation	Employment on nonag payrolls: Goods-producing	3

Block Name	Release	Series	Transformation
Labor & Wages	Employment Situation	Employment on nonag payrolls: Mining	3
Labor & Wages	Employment Situation	Employment on nonag payrolls: Construction	3
Labor & Wages	Employment Situation	Employment on nonag payrolls: Manufacturing	3
Labor & Wages	Employment Situation	Employment on nonag payrolls: Manufacturing, durables	3
Labor & Wages	Employment Situation	Employment on nonag payrolls: Manufacturing, nondurables	3
Labor & Wages	Employment Situation	Employment on nonag payrolls: Service-producing	3
Labor & Wages	Employment Situation	Employment on nonag payrolls: Transportation and warehousing	3
Labor & Wages	Employment Situation	Employment on nonag payrolls: Utilities	3
Labor & Wages	Employment Situation	Employment on nonag payrolls: Retail trade	3
Labor & Wages	Employment Situation	Employment on nonag payrolls: Wholesale trade	3
Labor & Wages	Employment Situation	Employment on nonag payrolls: Financial activities	3
Labor & Wages	Employment Situation	Employment on nonag payrolls: Professional and business services	3
Labor & Wages	Employment Situation	Employment on nonag payrolls: education and health services	3
Labor & Wages	Employment Situation	Employment on nonag payrolls: leisure and hospitality	3
Labor & Wages	Employment Situation	Employment on nonag payrolls: Other services	3
Labor & Wages	Employment Situation	Employment on nonag payrolls: Government	3
Labor & Wages	Employment Situation	Avg weekly hrs. of production of nonsupervisory workers: Total private	3
Labor & Wages	Employment Situation	Avg weekly hrs of PNW: Mfg	3
Labor & Wages	Employment Situation	Avg weekly overtime hrs of PNW: Mfg	3
Labor & Wages	Employment Situation	Avg hourly earnings: Total nonagricultural (\$)	4
Labor & Wages	Employment Situation	Avg hourly earnings: construction (\$)	4
Labor & Wages	Employment Situation	Avg hourly earnings: Mfg (\$)	4
Labor & Wages	Employment Situation	Avg hourly earnings: Transportation (\$)	4
Labor & Wages	Employment Situation	Avg hourly earnings: Retail trade (\$)	4
Labor & Wages	Employment Situation	Avg hourly earnings: wholesale trade (\$)	4
Labor & Wages	Employment Situation	Avg hourly earnings: finance, insurance, and real estate (\$)	4
Labor & Wages	Employment Situation	Avg hourly earnings: professional and business services (\$)	4
Labor & Wages	Employment Situation	Avg hourly earnings: education and health services (\$)	4
Labor & Wages	Employment Situation	Avg hourly earnings: other services (\$)	4

D Tables

Table 2a: Average Size of the news for GDP growth rate

Blocks v_b	first month (m=1)	second month (m=2)	third month (m=3)
Mixed 1	0.104	0.081	0.081
Industrial Production	0.527	0.427	0.531
Mixed 2	0.676	0.179	0.127
PPI	0.073	0.038	0.050
CPI	0.100	0.064	0.056
GDP and Income	0.042	0.030	0.071
Housing	0.006	0.006	0.009
Surveys 1	0.414	0.205	0.135
Initial Claims	0.087	0.136	0.058
Interest Rates	0.489	0.764	0.583
Financial	0.166	0.067	0.076
Surveys 2	0.256	0.167	0.112
Mixed 3	0.007	0.010	0.004
Money & Credit	0.040	0.040	0.037
Labor and Wages	0.362	0.241	0.244

Table 2b: Average Size of the news for GDP Deflator inflation

Blocks v_b	first month (m=1)	second month (m=2)	third month (m=3)
Mixed 1	0.002	0.001	0.001
Industrial Production	0.029	0.027	0.023
Mixed 2	0.033	0.009	0.015
PPI	0.032	0.016	0.018
CPI	0.040	0.017	0.017
GDP and Income	0.160	0.015	0.032
Housing	0.001	0.001	0.001
Surveys 1	0.028	0.016	0.012
Initial Claims	0.002	0.003	0.002
Interest Rates	0.003	0.014	0.019
Financial	0.035	0.031	0.021
Surveys 2	0.008	0.008	0.006
Mixed 3	0.000	0.001	0.000
Money & Credit	0.002	0.001	0.001
Labor and Wages	0.006	0.010	0.009

Table 3a: Average uncertainty for GDP growth rate

	first month (m=1)		second month (m=2)		third month (m=3)	
Blocks	total	common	total	common	total	common
Labor and Wages	1.305 (0.027)	1.004 (0.027)	1.067 (0.019)	0.669 (0.018)	0.902 (0.013)	0.351 (0.010)
Mixed 1	1.303 (0.027)	1.002 (0.027)	1.064 (0.019)	0.665 (0.019)	0.901 (0.013)	0.347 (0.011)
Industrial Production	1.290 (0.028)	0.985 (0.028)	1.043 (0.018)	0.631 (0.017)	0.888 (0.012)	0.311 (0.009)
Mixed 2	1.219 (0.024)	0.890 (0.025)	0.997 (0.016)	0.550 (0.016)	0.873 (0.010)	0.265 (0.007)
PPI	1.219 (0.024)	0.889 (0.026)	0.996 (0.016)	0.550 (0.016)	0.873 (0.010)	0.265 (0.007)
CPI	1.219 (0.025)	0.889 (0.026)	0.996 (0.017)	0.549 (0.017)	0.872 (0.011)	0.264 (0.007)
GDP and Income	1.218 (0.025)	0.889 (0.026)	0.995 (0.016)	0.548 (0.016)	0.872 (0.011)	0.263 (0.007)
Housing	1.218 (0.025)	0.889 (0.026)	0.995 (0.016)	0.548 (0.016)	0.872 (0.011)	0.263 (0.007)
Surveys 1	1.196 (0.024)	0.858 (0.024)	0.982 (0.016)	0.523 (0.015)	0.868 (0.011)	0.248 (0.006)
Initial Claims	1.179 (0.028)	0.834 (0.030)	0.969 (0.016)	0.499 (0.014)	0.863 (0.011)	0.232 (0.006)
Interest Rates	1.110 (0.022)	0.733 (0.022)	0.925 (0.013)	0.406 (0.016)	0.847 (0.011)	0.159 (0.009)
Financial	1.106 (0.023)	0.727 (0.023)	0.922 (0.014)	0.400 (0.015)	0.846 (0.011)	0.156 (0.009)
Surveys 2	1.096 (0.021)	0.712 (0.021)	0.916 (0.013)	0.387 (0.012)	0.844 (0.010)	0.147 (0.006)
Mixed 3	1.096 (0.021)	0.712 (0.021)	0.916 (0.013)	0.386 (0.012)	0.844 (0.010)	0.147 (0.006)
Money & Credit	1.095 (0.021)	0.711 (0.021)	0.916 (0.013)	0.386 (0.012)	0.844 (0.010)	0.146 (0.006)
Labor and Wages	1.072 (0.020)	0.675 (0.019)	0.902 (0.012)	0.351 (0.009)	0.840 (0.009)	0.121 (0.012)

Table 3b: Average uncertainty for GDP deflators

	first month (m=1)		second month (m=2)		third month (m=3)	
Blocks	total	common	total	common	total	common
Labor and Wages	0.156 (0.007)	0.062 (0.009)	0.110 (0.005)	0.042 (0.006)	0.105 (0.004)	0.024 (0.004)
Mixed 1	0.156 (0.007)	0.062 (0.009)	0.110 (0.005)	0.042 (0.006)	0.105 (0.004)	0.024 (0.004)
Industrial Production	0.155 (0.007)	0.061 (0.009)	0.109 (0.005)	0.041 (0.006)	0.104 (0.004)	0.023 (0.004)
Mixed 2	0.154 (0.007)	0.056 (0.008)	0.108 (0.004)	0.037 (0.005)	0.104 (0.004)	0.019 (0.003)
PPI	0.153 (0.007)	0.055 (0.008)	0.107 (0.004)	0.036 (0.005)	0.104 (0.004)	0.019 (0.003)
CPI	0.153 (0.007)	0.055 (0.008)	0.107 (0.004)	0.035 (0.005)	0.103 (0.004)	0.018 (0.003)
GDP and Income	0.115 (0.006)	0.054 (0.008)	0.107 (0.004)	0.035 (0.005)	0.103 (0.004)	0.018 (0.003)
Housing	0.115 (0.006)	0.054 (0.008)	0.107 (0.004)	0.035 (0.005)	0.103 (0.004)	0.018 (0.003)
Surveys 1	0.113 (0.006)	0.051 (0.007)	0.106 (0.004)	0.033 (0.005)	0.103 (0.004)	0.016 (0.003)
Initial Claims	0.113 (0.006)	0.051 (0.007)	0.106 (0.004)	0.032 (0.004)	0.103 (0.003)	0.015 (0.002)
Interest Rates	0.113 (0.005)	0.050 (0.007)	0.106 (0.004)	0.031 (0.004)	0.103 (0.003)	0.014 (0.002)
Financial	0.109 (0.005)	0.042 (0.006)	0.104 (0.004)	0.024 (0.003)	0.102 (0.003)	0.010 (0.001)
Surveys 2	0.109 (0.005)	0.041 (0.006)	0.104 (0.004)	0.024 (0.003)	0.102 (0.003)	0.010 (0.001)
Mixed 3	0.109 (0.005)	0.041 (0.006)	0.104 (0.004)	0.024 (0.003)	0.102 (0.003)	0.010 (0.001)
Money & Credit	0.109 (0.005)	0.041 (0.006)	0.104 (0.004)	0.024 (0.003)	0.102 (0.003)	0.010 (0.001)
Labor and Wages	0.109 (0.005)	0.041 (0.006)	0.104 (0.004)	0.023 (0.003)	0.102 (0.003)	0.009 (0.001)

Table 4a: Uncertainty for GDP growth rate (04Q1) (counterfactual)

	$\tilde{v} = 04m1$		$\tilde{v} = 04m2$		$\tilde{v} = 04m3$	
Blocks	common	total	common	total	common	total
no release	0.861	1.189	0.554	0.990	0.271	0.864
Mixed 1	0.784	1.135	0.488	0.954	0.230	0.852
Industrial Production	0.570	0.998	0.285	0.868	0.079	0.824
Mixed 2	0.733	1.100	0.446	0.933	0.205	0.845
PPI	0.837	1.172	0.536	0.980	0.261	0.860
CPI	0.820	1.159	0.522	0.972	0.253	0.858
GDP and Income	0.608	1.021	0.331	0.884	0.000	0.000
Housing	0.825	1.163	0.525	0.973	0.254	0.858
Surveys 1	0.734	1.101	0.446	0.934	0.204	0.845
Initial Claims	0.803	1.148	0.505	0.963	0.241	0.855
Financial	0.837	1.171	0.535	0.979	0.260	0.860
Interest Rates	0.715	1.088	0.422	0.922	0.184	0.840
Surveys 2	0.736	1.102	0.449	0.935	0.207	0.846
Mixed 3	0.750	1.111	0.456	0.938	0.209	0.846
Money & Credit	0.835	1.170	0.532	0.977	0.258	0.860
Labor and Wages	0.641	1.041	0.357	0.894	0.140	0.832

Table 4b: Uncertainty for GDP deflators (04Q1) (counterfactual)

	$\tilde{v} = 04m1$		$\tilde{v} = 04m2$		$\tilde{v} = 04m3$	
Blocks	common	total	common	total	common	total
no release	0.055	0.110	0.035	0.101	0.018	0.097
Mixed 1	0.054	0.109	0.035	0.101	0.017	0.096
Industrial Production	0.043	0.104	0.025	0.098	0.011	0.096
Mixed 2	0.052	0.108	0.032	0.100	0.015	0.096
PPI	0.039	0.103	0.022	0.097	0.011	0.096
CPI	0.036	0.102	0.020	0.097	0.009	0.095
GDP and Income	0.040	0.103	0.023	0.098	0.000	0.000
Housing	0.053	0.109	0.034	0.101	0.017	0.096
Surveys 1	0.052	0.108	0.032	0.100	0.016	0.096
Initial Claims	0.055	0.109	0.035	0.101	0.017	0.096
Financial	0.041	0.103	0.024	0.098	0.012	0.096
Interest Rates	0.053	0.109	0.034	0.101	0.017	0.096
Surveys 2	0.052	0.108	0.032	0.100	0.015	0.096
Mixed 3	0.052	0.108	0.033	0.101	0.017	0.096
Money & Credit	0.054	0.109	0.034	0.101	0.017	0.096
Labor and Wages	0.049	0.107	0.030	0.100	0.014	0.096